

Scilab Textbook Companion for
Engineering Physics
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Scilab numbering policy used in this document and the relation to the above book.

Exa Example (Solved example)

Eqn Equation (Particular equation of the above book)

AP Appendix to Example(Scilab Code that is an Appednix to a particular Example of the above book)

For example, Exa 3.51 means solved example 3.51 of this book. Sec 2.3 means a scilab code whose theory is explained in Section 2.3 of the book.

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Chapter 1

Quantum Mechanics

Scilab code Exa 1.1 Energy of the particle from de Broglie wavelength

```
1 // Scilab Code Ex1.1:Page-1.5 (2009)
2 clc; clear;
3 lambda = 2.1e-010; // de Broglie wavelength of the
   particle , m
4 m = 1.67e-027; // Mass of the particle , kg
5 h = 6.626e-034; // Planck's constant , Js
6 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
7 // From de Broglie relation , lambda = h/sqrt(2*m*E) ,
   solving for E
8 E = h^2/(2*m*lambda^2*e); // Energy of the
   particle , eV
9 printf("\n\nThe energy of the particle from de Broglie
   wavelength = %5.3e eV", E);
10
11 // Result
12 // The energy of the particle from de Broglie
   wavelength = 1.863e-002 eV
```

Scilab code Exa 1.2 de Broglie wavelength of the particle

```

1 // Scilab Code Ex1.2: Page-1.5 (2009)
2 clc; clear;
3 m = 1.67e-027; // Mass of the particle, kg
4 h = 6.626e-034; // Planck's constant, Js
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 E = 1e+011*e; // Energy of the particle, J
7 lambda = h/sqrt(2*m*E); // de Broglie wavelength
    of the particle, m
8 printf("\\nThe de Broglie wavelength of the particle
    = %4.2e m", lambda);
9
10 // Result
11 // The de Broglie wavelength of the particle = 9.06e
    -017 m

```

Scilab code Exa 1.3 de Broglie wavelength of an accelerated electron

```

1 // Scilab Code Ex1.3: Page-1.5 (2009)
2 clc; clear;
3 V = 20e+03; // Accelerating voltage of electron,
    V
4 lambda = 12.25/sqrt(V); // de Broglie wavelength
    of the accelerated electron, m
5 printf("\\nThe de Broglie wavelength of the electron
    = %6.4f angstrom", lambda);
6
7 // Result
8 // The de Broglie wavelength of the electron =
    0.0866 angstrom

```

Scilab code Exa 1.4 Energy of the electron from de Broglie wavelength

```

1 // Scilab Code Ex1.4: Page-1.6 (2009)

```

```

2 clc; clear;
3 lambda = 5.2e-03; // de Broglie wavelength of the
   electron , m
4 m = 9.1e-031; // Mass of the electron , kg
5 h = 6.626e-034; // Planck's constant , Js
6 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
7 // From de Broglie relation , lambda = h/sqrt(2*m*E) ,
   solving for E
8 E = h^2/(2*m*lambda^2*e); // Energy of the
   electron , eV
9 printf("\\nThe energy of the electron from de Broglie
   wavelength = %5.3e eV" , E);
10
11 // Result
12 // The energy of the electron from de Broglie
   wavelength = 5.576e-014 eV

```

Scilab code Exa 1.5 Velocity and de Broglie wavelength of a neutron

```

1 // Scilab Code Ex1.5: Page-1.6 (2009)
2 clc; clear;
3 m = 1.67e-027; // Mass of the neutron , kg
4 h = 6.626e-034; // Planck's constant , Js
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 E = 1e+04*e; // Energy of the neutron , J
7 // As  $E = 1/2*m*v^2$ , solving for v
8 v = sqrt(2*E/m); // Velocity of the neutron , m/s
9 lambda = h/(m*v); // de Broglie wavelength of the
   neutron , m
10 printf("\\nThe velocity of the neutron = %4.2e m/s" ,
   v);
11 printf("\\nThe de Broglie wavelength of the neutron =
   %4.2e m" , lambda);
12
13 // Result

```

```

14 // The velocity of the neutron = 1.38e+006 m/s
15 // The de Broglie wavelength of the neutron = 2.87e
    -013 m

```

Scilab code Exa 1.6 Wavelength of thermal neutron at room temperature

```

1 // Scilab Code Ex1.6: Page-1.6 (2009)
2 clc; clear;
3 m = 1.67e-027; // Mass of the neutron, kg
4 k = 1.38e-023; // Boltzmann constant, J/mol/K
5 T = 27+273; // Room temperature, K
6 h = 6.626e-034; // Planck's constant, Js
7 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
8 v = sqrt(3*k*T/m); // Velocity of the neutron,
    m/s
9 lambda = h/(m*v); // de Broglie wavelength of the
    neutron, m
10 printf("\nThe de Broglie wavelength of the thermal
    neutrons = %4.2f angstrom", lambda/1e-010);
11
12 // Result
13 // The de Broglie wavelength of the thermal neutrons
    = 1.45 angstrom

```

Scilab code Exa 1.7 Angle of deviation for first order diffraction maxima

```

1 // Scilab Code Ex1.7: Page-1.6 (2009)
2 clc; clear;
3 m = 9.1e-031; // Mass of the electron, kg
4 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
5 h = 6.626e-034; // Planck's constant, Js
6 E = 20e+03*e; // Energy of the electron, J
7 // As  $1/2*m*v^2 = E$ , solving for v

```



```

8 v = sqrt(2*E/m);          // Velocity of the electron ,
    m/s
9 lambda = h/(m*v); // de Broglie wavelength of the
    electron , m
10 n = 1; // First order diffraction
11 d = 9.8e-011; // Atomic spacing for thin gold
    foil , m
12 // Using Bragg's equation , 2*d*sin(theta) = n*lambda
    and solving for theta
13 theta = asind(n*lambda/(2*d)); // Angle of
    deviation for first order diffraction maxima,
    degree
14 printf("\nThe angle of deviation for first order
    diffraction maxima = %4.2f degrees", theta);
15
16 // Result
17 // The angle of deviation for first order
    diffraction maxima = 2.54 degrees

```

Scilab code Exa 1.8 de Broglie wavelength of a moving electron

```

1 // Scilab Code Ex1.8: Page-1.7 (2009)
2 clc; clear;
3 m = 9.1e-031; // Mass of the electron , kg
4 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
5 h = 6.626e-034; // Planck's constant , Js
6 E = 5*e; // Energy of the electron , J
7 // As 1/2*m*v^2 = E, solving for v
8 v = sqrt(2*E/m); // Velocity of the electron ,
    m/s
9 lambda = h/(m*v); // de Broglie wavelength of the
    electron , m
10 printf("\nThe de Broglie wavelength of the electron
    = %3.1f angstrom", lambda/1e-010);
11

```

```

12 // Result
13 // The de Broglie wavelength of the electron = 5.5
    angstrom

```

Scilab code Exa 1.9 de Broglie wavelength of a neutron of given kinetic energy

```

1 // Scilab Code Ex1.9: Page-1.7 (2009)
2 clc; clear;
3 m = 1.67e-027; // Mass of the neutron, kg
4 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
5 h = 6.626e-034; // Planck's constant, Js
6 E = 1*e; // Energy of the electron, J
7 lambda = h/sqrt(2*m*E); // de Broglie wavelength of
    the neutron, m
8 printf("\\nThe de Broglie wavelength of the neutron =
    %4.2f angstrom", lambda/1e-010);
9
10 // Result
11 // The de Broglie wavelength of the neutron = 0.29
    angstrom

```

Scilab code Exa 1.10 de Broglie wavelength associated with moving proton

```

1 // Scilab Code Ex1.10: Page-1.8 (2009)
2 clc; clear;
3 m = 1.67e-027; // Mass of the proton, kg
4 c = 3e+08; // Speed of light, m/s
5 v = 1/20*c; // Velocity of the proton, m/s
6 h = 6.626e-034; // Planck's constant, Js
7 lambda = h/(m*v); // de Broglie wavelength of the
    neutron, m

```

```

8 printf("\nThe de Broglie wavelength associated with
    moving proton = %5.3e m", lambda);
9
10 // Result
11 // The de Broglie wavelength associated with moving
    proton = 2.645e-14 m

```

Scilab code Exa 1.11 Wavelength of matter wave associated with moving proton

```

1 // Scilab Code Ex1.11: Page-1.8 (2009)
2 clc; clear;
3 m = 1.67e-027; // Mass of the proton, kg
4 v = 2e+08; // Velocity of the proton, m/s
5 h = 6.626e-034; // Planck's constant, Js
6 lambda = h/(m*v); // de Broglie wavelength of the
    neutron, m
7 printf("\nThe wavelength of matter wave associated
    with moving proton = %5.3e m", lambda);
8
9 // Result
10 // The wavelength of matter wave associated with
    moving proton = 1.984e-15 m

```

Scilab code Exa 1.12 de Broglie wavelength of an electron accelerated through a given potential

```

1 // Scilab Code Ex1.12: Page-1.17 (2009)
2 clc; clear;
3 m = 9.1e-031; // Mass of the electron, kg
4 q = 1.6e-019; // Charge on an electron, C
5 V = 50; // Accelerating potential, V
6 E = q*V; // Energy gained by the electron, J

```

```

7 h = 6.626e-034; // Planck's constant, Js
8 lambda = h/sqrt(2*m*E); // de Broglie wavelength of
  the electron, m
9 printf("\nThe de Broglie wavelength of the electron
  accelerated through a given potential = %5.3e m",
  lambda);
10
11 // Result
12 // The de Broglie wavelength of the electron
  accelerated through a given potential = 1.736e-10
  m

```

Scilab code Exa 1.13 Interplanar spacing of the crystal

```

1 // Scilab Code Ex1.13: Page-1.17 (2009)
2 clc; clear;
3 theta = 45; // Diffraction angle, degrees
4 h = 6.626e-034; // Planck's constant
5 m = 1.67e-027; // Mass of a neutron, kg
6 n = 1; // Order of diffraction
7 k = 1.38e-023; // Boltzmann constant, J/mol/K
8 T = 27+273; // Absolute room temperature, K
9 E = 3/2*k*T; // Energy of the neutron, J
10 lambda = h/sqrt(2*m*E); // de-Broglie wavelength of
  neutrons, m
11 // From Bragg's law, 2*d*sin(theta) = n*lambda,
  solving for d
12 d = n*lambda/(2*sind(theta));
13 printf("\nThe interplanar spacing of the crystal =
  %4.2f angstrom", d/1e-010);
14
15 // Result
16 // The interplanar spacing of the crystal = 1.03
  angstrom

```

Scilab code Exa 1.14 Interplanar spacing using Bragg law

```
1 // Scilab Code Ex1.14: Page-1.18 (2009)
2 clc; clear;
3 theta = 70; // Glancing angle at which
  reflection occurs, degrees
4 h = 6.626e-034; // Planck's constant
5 m = 9.1e-031; // Mass of a electron, kg
6 e = 1.6e-019; // Electronic charge, C
7 V = 1000; // Accelerating potential, V
8 n = 1; // Order of diffraction
9 E = e*V; // Energy of the electron, J
10 lambda = h/sqrt(2*m*E); // de-Broglie wavelength of
  electron, m
11 // From Bragg's law, 2*d*sin(theta) = n*lambda,
  solving for d
12 d = n*lambda/(2*sind(theta)); // Interplanar
  spacing, m
13 printf("\nThe interplanar spacing of the crystal =
  %6.4e m", d);
14
15 // Result
16 // The interplanar spacing of the crystal = 2.0660e
  -11 m
```

Scilab code Exa 1.15 de Broglie wavelength of electron accelerated at V volts

```
1 // Scilab Code Ex1.15: Page-1.18 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant
4 m = 9.1e-031; // Mass of a electron, kg
```

```

5 e = 1.6e-019;      // Electronic charge , C
6 V = 1;    // For simplicity the accelerating
    potential is assumed to be unity , V
7 E = e*V;    // Energy of the electron , J
8 lambda = h/sqrt(2*m*E); // de-Broglie wavelength of
    electron , m
9 printf("\nde-Broglie wavelength of electron
    accelerated at V volts = %5.2f/sqrt(V) angstrom",
    lambda/1e-010);
10
11 // Result
12 // de-Broglie wavelength of electron accelerated at
    V volts = 12.23/sqrt(V) angstrom

```

Scilab code Exa 1.16 de Broglie wavelength of electron accelerated from rest

```

1 // Scilab Code Ex1.16: Page-1.18 (2009)
2 clc; clear;
3 h = 6.6e-034;    // Planck's constant
4 m = 9.1e-031;    // Mass of a electron , kg
5 e = 1.6e-019;    // Electronic charge , C
6 V = 100;    // Accelerating potential for electron , V
7 E = e*V;    // Energy of the electron , J
8 lambda = h/sqrt(2*m*E); // de-Broglie wavelength of
    electron , m
9 printf("\nde-Broglie wavelength of electron
    accelerated at %d volts = %6.4e m", V, lambda);
10
11 // Result
12 // de-Broglie wavelength of electron accelerated at
    100 volts = 1.2231e-10 m

```

Scilab code Exa 1.17 The wavelength associated with moving mass

```
1 // Scilab Code Ex1.17: Page-1.19 (2009)
2 clc; clear;
3 m = 10e-03; // Mass of the body, kg
4 v = 110; // Velocity of the mass, m/s
5 h = 6.6e-034; // Planck's constant
6 lambda = h/(m*v); // de-Broglie wavelength of
   electron, m
7 printf("\nThe wavelength associated with mass moving
   with velocity %d m/s = %1.0e m", v, lambda);
8
9 // Result
10 // The wavelength associated with mass moving with
   velocity 110 m/s = 6e-34 m
```

Scilab code Exa 1.18 Wavelength of an electron from its kinetic energy

```
1 // Scilab Code Ex1.18: Page-1.19 (2009)
2 clc; clear;
3 m = 9.1e-031; // Mass of the electron, kg
4 Ek = 1.27e-017; // Kinetic energy of electron, J
5 h = 6.6e-034; // Planck's constant
6 lambda = h/sqrt(2*m*Ek); // de-Broglie wavelength of
   electron, m
7 printf("\nThe wavelength associated with moving
   electron = %4.2f angstrom", lambda/1e-010);
8
9 // Result
10 // The wavelength associated with moving electron =
   1.37 angstrom
```

Scilab code Exa 1.19 Kinetic energy of electron

```

1 // Scilab Code Ex1.19: Page-1.19 (2009)
2 clc; clear;
3 m = 9.1e-031; // Mass of the electron , kg
4 h = 6.6e-034; // Planck's constant
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 lambda = 9.1e-012; // de-Broglie wavelength of
   electron , m
7 // We have lambda = h/(m*v), solving for v
8 v = h/(m*lambda); // Velocity of the electron , m/s
9 K = 1/2*m*v^2; // Kinetic energy of electron , J
10 printf("\\nThe kinetic energy of electron having
   wavelength %3.1e m = %4.2e eV", lambda , K/e);
11
12 // Result
13 // The kinetic energy of electron having wavelength
   9.1e-12 m = 1.81e+04 eV

```

Scilab code Exa 1.20 Speed of proton for an equivalent wavelength of that of electron

```

1 // Scilab Code Ex1.20: : Page-1.19 (2009)
2 clc; clear;
3 m_e = 9.1e-031; // Mass of the electron , kg
4 m_p = 1.67e-027; // Mass of the proton , kg
5 v_e = 1; // For simplicity assume velocity of
   electron to be unity , m/s
6 // From de-Broglie relation ,
7 // lambda_p = lambda_e = h(m*v_p), solving for v_p
8 v_p = m_e*v_e/m_p; // Velocity of the proton , m/s
9 // As lambda_e = h/sqrt(2*m_e*K_e) and lambda_p = h/
   sqrt(2*m_p*K_p), solving for K_e/K_p
10 K_ratio = m_p/m_e; // Ratio of kinetic energies
   of electron and proton
11
12 printf("\\nThe speed of proton for an equivalent

```



```

    wavelength of that of electron = %3.1e ve", v_p);
13 printf("\nRatio of kinetic energies of electron and
    proton = %3.1e, therefore Ke > Kp", K_ratio);
14
15 // Result
16 // The speed of proton for an equivalent wavelength
    of that of electron = 5.4e-04 ve
17 // Ratio of kinetic energies of electron and proton
    = 1.8e+03, therefore Ke > Kp

```

Scilab code Exa 1.21 de Broglie wavelength of the electron

```

1 // Scilab Code Ex1.21: Page-1.20 (2009)
2 clc; clear;
3 V = 50; // Potential difference , V
4 m = 9.1e-031; // Mass of the electron , kg
5 e = 1.6e-019; // Electronic charge , C
6 h = 6.6e-034; // Planck's constant , Js
7 lambda = h/sqrt(2*m*e*V); // From de-Broglie
    relation ,
8 printf("\nde-Broglie wavelength of the electron = %4
    .2f angstrom", lambda/1e-010);
9
10 // Result
11 // de-Broglie wavelength of the electron = 1.73
    angstrom

```

Scilab code Exa 1.23 Minimum accuracy to locate the position of an electron

```

1 // Scilab Code Ex1.23:: Page-1.31 (2009)
2 clc; clear;
3 v = 740; // Speed of the electron , m/s

```

```

4 m = 9.1e-031; // Mass of the electron , kg
5 h = 6.6e-034; // Planck 's constant , Js
6 p = m*v; // Momentum of the electron , kg-m/s
7 frac_v = 0.05/100; // Correctness in the speed
8 delta_p = p*frac_v; // Uncertainty in momentum,
    kg-m/s
9 delta_x = h/(4*pi)*1/delta_p; // Uncertainty in
    position , m
10
11 printf("\nThe minimum accuracy to locate the
    position of an electron = %4.2e m",delta_x);
12
13 // Result
14 // The minimum accuracy to locate the position of an
    electron = 1.56e-04 m

```

Scilab code Exa 1.24 Uncertainty in energy of an emitted photon

```

1 // Scilab Code Ex1.24: : Page-1.31 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck 's constant , Js
4 h_cross = h/(2*pi); // Reduced Planck 's constant
    , Js
5 delta_t = 1e-010; // Uncertainty in time , s
6 // From Energy-time uncertainty ,
7 // delta_E*delta_t = h_cross/2, solving for delta_E
8 delta_E = h_cross/(2*delta_t); // Uncertainty in
    energy of an emitted photon , J
9
10 printf("\nThe uncertainty in energy of an emitted
    photon = %5.3e eV", delta_E/1.6e-019);
11
12 // Result
13 // The uncertainty in energy of an emitted photon =
    3.283e-06 eV

```

Scilab code Exa 1.25 Minimum uncertainty in velocity of electron

```
1 // Scilab Code Ex1.25: : Page-1.31 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 delta_x_max = 1e-007; // Uncertainty in length, m
5 m = 9.1e-031; // Mass of an electron, kg
6 // From Position-momentum uncertainty,
7 // delta_p_min = m*delta_v_min = h/delta_x_max,
  solving for delta_v_min
8 delta_v_min = h/(delta_x_max*m); // Minimum
  uncertainty in velocity of electron, m/s
9
10 printf("\nThe minimum uncertainty in velocity of
  electron = %4.2e m/s", delta_v_min);
11
12 // Result
13 // The minimum uncertainty in velocity of electron =
  7.25e+03 m/s
```

Scilab code Exa 1.26 Minimum uncertainty in momentum and minimum kinetic energy of proton

```
1 // Scilab Code Ex1.26: Page-1.32 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 delta_x_max = 8.5e-014; // Uncertainty in length,
  m
5 m = 1.67e-027; // Mass of proton, kg
6 // From Position-momentum uncertainty,
7 // delta_p_min*delta_x_max = h, solving for
  delta_p_min
```

```

8 delta_p_min = h/delta_x_max;    // Minimum
  uncertainty in momentum of electron , kg-m/s
9 p_min = delta_p_min;    // Minimum momentum of the
  proton , kg.m/s
10 delta_E = p_min^2/(2*m);
11
12 printf("\nThe minimum uncertainty in momentum of
  proton = %4.2e kg-m/s", p_min);
13 printf("\nThe kinetic energy of proton = %6.3e eV",
  delta_E/1.6e-019);
14
15 // Result
16 // The minimum uncertainty in momentum of proton =
  7.76e-21 kg-m/s
17 // The kinetic energy of proton = 1.128e+05 eV

```

Scilab code Exa 1.27 Uncertainty in momentum of electron

```

1 // Scilab Code Ex1.27:: Page-1.32 (2009)
2 clc; clear;
3 h = 6.6e-034;    // Planck's constant , Js
4 e = 1.6e-019;    // Energy equivalent of 1 eV, J/eV
5 E = 0.15*1e+03*e;    // Energy of the electron , J
6 m = 9.1e-031;    // Mass of electron , kg
7 delta_x = 0.5e-010; // Position uncertainty of
  electron , m
8 p = (2*m*E)^(1/2); // Momentum of the electron , kg-
  m/s
9 // delta_x*delta_p = h/(4*pi), solving for delta_p
10 delta_p = h/(4*pi*delta_x);    // Uncertainty in
  momentum of electron , kg-m/s
11 frac_p = delta_p/p*100;    // Percentage
  uncertainty in momentum of electron , kg-m/s
12
13 printf("\nThe percentage uncertainty in momentum of

```

```

    electron = %2d percent", frac_p);
14
15 // Result
16 // The percentage uncertainty in momentum of
    electron = 15 percent

```

Scilab code Exa 1.28 Uncertainty in position of the particle

```

1 // Scilab Code Ex1.28:: Page-1.33 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
5 delta_v = 7.54e-015; // Uncertainty in velocity
    of the particle, m/s
6 m = 0.25e-06; // Mass of particle, kg
7 // delta_x*delta_p = h/(4*pi), solving for delta_x
8 delta_x = h/(4*pi*m*delta_v); // Position
    uncertainty of particle, m
9
10 printf("\nThe position uncertainty of particle = %4
    .2e m", delta_x);
11
12 // Result
13 // The position uncertainty of particle = 2.79e-14 m

```

Scilab code Exa 1.29 Uncertainty in position of the moving electron

```

1 // Scilab Code Ex1.29:: Page-1.33 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
5 v = 450; // Velocity of the electron, m/s

```

```

6 delta_v = v*0.05/100;    // Uncertainty in velocity
   of the particle , m/s
7 m = 9.1e-31;    // Mass of electron , kg
8 // delta_x*delta_p = h/(4*pi), solving for delta_x
9 delta_x = h/(4*pi*m*delta_v); // Position
   uncertainty of particle , m
10
11 printf("\nThe position uncertainty of moving
   electron = %4.2e m", delta_x);
12
13 // Result
14 // The position uncertainty of moving electron =
   2.57e-04 m

```

Scilab code Exa 1.30 Smallest possible uncertainty in position of the electron

```

1 // Scilab Code Ex1.30:: Page-1.33 (2009)
2 clc; clear;
3 h = 6.6e-34;    // Planck's constant , Js
4 e = 1.6e-19;    // Energy equivalent of 1 eV, J/eV
5 c = 3e+08;    // Speed of light , m/s
6 v = 3e+07;    // Velocity of the electron , m/s
7 m0 = 9.1e-31; // Rest mass of electron , kg
8 m = m0/sqrt(1-v^2/c^2); // Mass of moving electron ,
   kg
9 delta_p_max = m*v;    // Maximum uncertainty in
   momentum of the particle , m/s
10 // delta_x_min*delta_p_max = h/(4*pi), solving for
   delta_x_min
11 delta_x_min = h/(4*pi*delta_p_max); // Minimum
   position uncertainty of particle , m
12
13 printf("\nThe smallest possible uncertainty in
   position of the electron = %5.3f angstrom",

```

```

    delta_x_min/1e-010);
14
15 // Result
16 // The smallest possible uncertainty in position of
    the electron = 0.019 angstrom

```

Scilab code Exa 1.31 Difference in the energy between the neighboring levels of Na at the highest state

```

1 // Scilab Code Ex1.31: : Page-1.44 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m = 9.1e-031; // Electronic mass, kg
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 l = 2e-002; // Length of the side of the cube, m
7 E_F = 9*e; // Fermi energy, J
8 // As  $E_F = h^2/(8*m*l^2)*(nx^2 + ny^2 + nz^2)$  and
    nx = ny = nz for a cube, solving for nx
9 nx = sqrt(E_F*(8*m*l^2)/(3*h^2)); // Value of
    integer for a cube
10 E = h^2/(8*m*l^2)*3*nx^2; // Fermi energy, J
11 E1 = h^2/(8*m*l^2)*((nx-1)^2 + nx^2 + nx^2); //
    Energy of the level just below the fermi level, J
12 delta_E = E - E1; // Difference in the energy
    between the neighbouring levels of Na at the
    highest state, J
13
14 printf("\nThe energy difference between the
    neighbouring levels of Na at the highest state =
    %4.2e eV", delta_E/e);
15
16 // Result
17 // The energy difference between the neighbouring
    levels of Na at the highest state = 1.06e-07 eV

```

Scilab code Exa 1.32 Energy of the neutron confined in a nucleus

```
1 // Scilab Code Ex1.32:: Page-1.45 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m = 1.67e-027; // Electronic mass, kg
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 nx = 1, ny = 1, nz = 1; // Principle quantum numbers
    in 3D corresponding to the longest energy state
7 lx = 1e-014, ly = 1e-014, lz = 1e-014; //
    Dimensions of the box to which the neutron is
    confined, m
8 E = h^2/(8*m)*(nx^2/lx^2+ny^2/ly^2+nz^2/lz^2); //
    Energy of the neutron confined in the nucleus, J
9
10 printf("\nThe energy of the neutron confined in a
    nucleus = %4.2e eV", E/e);
11
12 // Result
13 // The energy of the neutron confined in a nucleus =
    6.11e+06 eV
```

Scilab code Exa 1.33 Energy of an electron moving in one dimensional infinitely high potential box

```
1 // Scilab Code Ex1.33:: Page-1.46 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m = 9.1e-031; // Electronic mass, kg
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 n = 1; // For simplicity assume principle
    quantum number to be unity
```



```

7 l = 2.1e-010; // Length of one dimensional
  potential box, m
8 E = h^2*n^2/(8*m*l^2); // Energy of the electron,
  J
9
10 printf("\nThe energy of the electron moving in one
  dimensional infinitely high potential box = %4.2f
  n^2 eV", E/e);
11
12 // Result
13 // The energy of the electron moving in one
  dimensional infinitely high potential box = 8.48
  n^2 eV

```

Scilab code Exa 1.34 Lowest energy of an electron in a one dimensional force free region

```

1 // Scilab Code Ex1.34:: Page-1.46 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m = 9.1e-031; // Electronic mass, kg
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 n = 1; // The lowest energy state of electron
7 l = 3.5e-010; // Length of one dimensional
  potential box, m
8 E = h^2*n^2/(8*m*l^2); // Energy of the electron
  in the lowest state, J
9
10 printf("\nThe lowest energy of the electron in a one
  dimensional force free region = %1d eV", E/e);
11
12 // Result
13 // The lowest energy of an electron in a one
  dimensional force free region = 3 eV

```

Scilab code Exa 1.35 First three energy levels of an electron in one dimensional box

```
1 // Scilab Code Ex1.35:: Page-1.46 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m = 9.1e-031; // Electronic mass, kg
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 l = 9.5e-010; // Length of one dimensional
    potential box, m
7
8 // First energy level
9 n = 1; // The first energy state of electron
10 E1 = h^2*n^2/(8*m*l^2); // Energy of the electron
    in first state, J
11
12 // Second energy level
13 n = 2; // The second energy state of electron
14 E2 = h^2*n^2/(8*m*l^2); // Energy of the electron
    in second state, J
15
16 // Third energy level
17 n = 3; // The third energy state of electron
18 E3 = h^2*n^2/(8*m*l^2); // Energy of the electron
    in third state, J
19
20 printf("\\nThe energy of the electron in first state
    = %4.1e J", E1);
21 printf("\\nThe energy of the electron in second state
    = %4.1e J", E2);
22 printf("\\nThe energy of the electron in third state
    = %4.1e J", E3);
23
24 // Result
```

```

25 // The energy of the electron in first state = 6.6e
    -20 J
26 // The energy of the electron in second state = 2.7
    e-19 J
27 // The energy of the electron in third state = 6.0e
    -19 J

```

Scilab code Exa 1.36 Lowest two permitted energy values of the electron in a 1D box

```

1 // Scilab Code Ex1.36:: Page-1.47 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m = 9.1e-031; // Electronic mass, kg
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 l = 2.5e-010; // Length of one dimensional
    potential box, m
7
8 // First energy level
9 n = 1; // The lowest energy state of electron
10 E1 = h^2*n^2/(8*m*l^2); // Energy of the electron
    in first state, J
11
12 // Second energy level
13 n = 2; // The second energy state of electron
14 E2 = h^2*n^2/(8*m*l^2); // Energy of the electron
    in second state, J
15
16 printf("\\nThe energy of the electron in lowest state
    = %5.2f eV", E1/e);
17 printf("\\nThe energy of the electron in second state
    = %5.2f eV", E2/e);
18
19
20 // Result

```

```

21 // The energy of the electron in lowest state =
    5.98 eV
22 // The energy of the electron in second state =
    23.93 eV

```

Scilab code Exa 1.37 Lowest energy of the neutron confined to the nucleus

```

1 // Scilab Code Ex1.37:: Page-1.47 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m = 1.67e-027; // Electronic mass, kg
5 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
6 l = 2.5e-010; // Length of one dimensional
    potential box, m
7 delta_x = 1e-014; // Uncertainty in position of
    neutron, m
8 // From uncertainty principle,
9 // delta_x*delta_p = h/(4*pi), solving for delta_p
10 delta_p = h/(4*pi*delta_x); // Uncertainty in
    momentum of neutron, kg-m/s
11 p = delta_p; // Momentum of neutron in the box,
    kg-m/s
12 KE = p^2/(2*m); // Kinetic energy of neutron in the
    box, J
13
14 printf("\n\nThe lowest energy of the neutron confined
    to the nucleus = %4.2f MeV", KE/(e*1e+06));
15
16 // Result
17 // The lowest energy of the neutron confined to the
    nucleus = 0.05 MeV

```

Scilab code Exa 1.38 X ray scattering

```
1 // Scilab Code Ex1.38: : Page-1.56 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m0 = 9.1e-031; // Electronic mass, kg
5 c = 3e+08; // Speed of light, m/s
6 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
7 phi = 45; // Scattering angle of X-rays, degrees
8 E = 75; // Incident energy of X-rays, keV
9 // As from Compton shift formula
10 //  $1/E_{\text{prime}} - 1/E = 1/(m_0*c^2)*(1-\cosd(\text{phi}))$ 
11 // Solving for E_prime
12 E_prime = 1/((1/(m0*c^2/(e*1e+03)))*(1-cosd(phi))+1/
    E); // Energy of scattered photon, keV
13 E_recoil = E - E_prime; // Energy of recoil
    electron, keV
14
15 printf("\nThe energy of scattered X-ray = %4.1f keV"
    , E_prime);
16 printf("\nThe energy of recoil electron = %3.1f keV"
    , E_recoil);
17
18 // Result
19 // The energy of scattered X-ray = 71.9 keV
20 // The energy of recoil electron = 3.1 keV
```

Scilab code Exa 1.39 Wavelength of scattered Xray

```
1 // Scilab Code Ex1.39: : Page-1.57 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m0 = 9.1e-031; // Electronic mass, kg
5 c = 3e+08; // Speed of light, m/s
6 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
```

```

7 phi = 60;          // Scattering angle of X-rays, degrees
8 E = 75;           // Incident energy of X-rays, keV
9 // As from Compton shift formula
10 delta_L = h/(m0*c)*(1-cosd(phi)); // Change in
    photon wavelength, m
11 lambda = 0.198e-010; // Wavelength of incident
    photon, m
12 lambda_prime = (lambda+delta_L)/1e-010; //
    Wavelength of scattered X-ray, angstrom
13
14 printf("\nThe wavelength of scattered X-ray = %6.4f
    angstrom", lambda_prime);
15
16 // Result
17 // The wavelength of scattered X-ray = 0.2101
    angstrom

```

Scilab code Exa 1.40 Wavelength of scattered radiation with changed angle of view

```

1 // Scilab Code Ex1.40:: Page-1.57 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant, Js
4 m0 = 9.1e-031; // Electronic mass, kg
5 c = 3e+08; // Speed of light, m/s
6 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
7 phi = 180; // Scattering angle of X-rays,
    degrees
8 lambda = 1.78; // Wavelength of incident photon,
    m
9 lambda_prime = 1.798; // Wavelength of scattered X-
    ray, angstrom
10 // As from Compton shift formula
11 // lambda_prime - lambda = h/(m0*c)*(1-cosd(phi)),
    Change in photon wavelength, m

```

```

12 // Or we may write , lambda_prime - lambda = k*(1-
    cosd(phi))
13 // solving for k
14 k = (lambda_prime - lambda)/(1-cosd(phi)); // k = h
    /(m0*c) value , angstrom
15
16 // For phi = 60
17 phi = 60; // New angle of scattering , degrees
18 lambda_prime = lambda + k*(1-cosd(phi)); //
    Wavelength of scattered radiation at 60 degree
    angle , angstrom
19 printf("\nThe wavelength of scattered X-ray at %d
    degrees view = %6.4f angstrom", phi, lambda_prime
    );
20 // Recoil energy of electron
21 E = h*c*(1/lambda - 1/lambda_prime)*1e+010; //
    Recoil energy of electron , joule
22 printf("\nThe recoil energy of electron scattered
    through %d degrees = %4.1f eV", phi, E/e);
23
24 // Result
25 // The wavelength of scattered X-ray at 60 degrees
    view = 1.7845 angstrom
26 // The recoil energy of electron scattered through
    60 degrees = 17.5 eV

```

Scilab code Exa 1.41 Compton scattering through aluminium foil

```

1 // Scilab Code Ex1.41:: Page-1.58 (2009)
2 clc; clear;
3 h = 6.6e-034; // Planck's constant , Js
4 m0 = 9.1e-031; // Electronic mass , kg
5 c = 3e+08; // Speed of light , m/s
6 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
7 phi = 90; // Scattering angle of X-rays , degrees

```

```

8 E = 510*1e+03*e;    // Energy of incident photon, J
9 // As  $E = h*c/\lambda$ , solving for  $\lambda$ 
10  $\lambda = h*c/E$ ;    // Wavelength of incident photon,
    m
11 // As from Compton shift formula
12 //  $\lambda_{\text{prime}} - \lambda = h/(m_0*c)*(1 - \cos(\phi))$ ,
    solving for  $\lambda_{\text{prime}}$ 
13  $\lambda_{\text{prime}} = \lambda + h/(m_0*c)*(1 - \cos(\phi))$ ; //
    Wavelength of scattered X-ray, m
14 printf("\nThe wavelength of scattered X-ray as
    viewed at %d degrees = %4.2e m", phi,
     $\lambda_{\text{prime}}$ );
15
16 // Recoil energy of electron
17  $E = h*c*(1/\lambda - 1/\lambda_{\text{prime}})$ ;    // Recoil
    energy of electron, joule
18 printf("\nThe recoil energy of electron scattered
    through %d degrees = %4.2e eV", phi, E/e);
19
20 // Direction of recoil electron
21  $\theta = \text{atan}(\lambda*\sin(\phi)/(\lambda_{\text{prime}} - \lambda*\cos(\phi)))$ ; // Direction of recoil electron,
    degrees
22 printf("\nThe direction of emission of recoil
    electron = %5.2f degrees",  $\theta$ );
23
24
25 // Result
26 // The wavelength of scattered X-ray as viewed at 90
    degrees = 4.84e-12 m
27 // The recoil energy of electron scattered through
    90 degrees = 2.55e+05 eV
28 // The direction of emission of recoil electron =
    26.61 degrees

```

Scilab code Exa 1.42 Energetic electrons in the Xray tube

```
1 // Scilab Code Ex1.42: : Page-1.59 (2009)
2 clc; clear;
3 m = 9.1e-031; // Electronic mass, kg
4 c = 3e+08; // Speed of light, m/s
5 e = 1.6e-019; // Charge on the electron, C
6 V = 12.4e+03; // Potential difference applied
    across the X-ray tube, V
7 i = 2e-03; // Current through the X-ray tube, A
8 t = 1; // Time for which the electrons strike the
    target material, s
9 N = i*t/e; // Number of electrons striking the
    target per sec, per sec
10 v_max = sqrt(2*e*V/m); // Maximum speed of the
    electrons, m/s
11
12 printf("\nThe number of electrons striking the
    target per sec = %4.2e electrons/sec", N);
13 printf("\nThe maximum speed of the electrons when
    they strike = %3.1e m/s", v_max);
14
15
16 // Result
17 // The number of electrons striking the target per
    sec = 1.25e+16 electrons/sec
18 // The maximum speed of the electrons when they
    strike = 6.6e+07 m/s
```

Chapter 2

Interference

Scilab code Exa 2.1 Slit separation in Double Slit experiment

```
1 // Scilab Code Ex2.1:: Page-2.9 (2009)
2 clc; clear;
3 lambda = 5893e-008; // Wavelength of light used, m
4 D = 200; // Distance of the source from the
    screen, m
5 b = 0.2; // Fringe separation, cm
6 d = lambda*D/b; // Separation between the slits, cm
7
8 printf("\nThe separation between the slits = %3.1e
    cm", d);
9
10 // Result
11 // The separation between the slits = 5.9e-002 cm
```

Scilab code Exa 2.2 Wavelength of light in Young Double Slit experiment

```
1 // Scilab Code Ex2.2:: Page-2.10 (2009)
2 clc; clear;
```

```

3 d = 0.2; // Separation between the slits , cm
4 D = 100; // Distance of the source from the
    screen , m
5 b = 0.35e-01; // Fringe separation , cm
6 lambda = b*d/D; // Wavelength of light used , m
7 printf("\nThe wavelength of the light = %3.1e cm",
    lambda);
8
9 // Result
10 // The wavelength of the light = 7.0e-005 cm

```

Scilab code Exa 2.3 Ratio of maximum intensity to minimum intensity of interference fringes

```

1 // Scilab Code Ex2.3:: Page-2.10 (2009)
2 clc; clear;
3 I2 = 1; // For simplicity assume intensity from
    slit 2 to be unity , W/sq-m
4 I1 = I2*25; // Intensity from slit 1, W/sq-m
5 I_ratio = I1/I2; // Intensity ratio
6 a_ratio = sqrt(I_ratio); // Amplitude ratio
7 a2 = 1; // For simplicity assume amplitude from
    slit 2 to be unity , m
8 a1 = a_ratio*a2; // Amplitude from slit 1, m
9 I_max = (a1 + a2)^2; // Maximum intensity of wave
    during interference , W/sq-m
10 I_min = (a1 - a2)^2; // Minimum intensity of wave
    during interference , W/sq-m
11 cf = 4; // Common factor
12 printf("\nThe ratio of maximum intensity to minimum
    intensity of interference fringes = %d/%d", I_max
    /cf, I_min/cf);
13
14 // Result
15 // The ratio of maximum intensity to minimum

```

intensity of interference fringes = $9/4$

Scilab code Exa 2.4 Wavelength of light from monochromatic coherent sources

```
1 // Scilab Code Ex2.4:: Page-2.10 (2009)
2 clc; clear;
3 d = 0.02; // Separation between the slits , cm
4 D = 100; // Distance of the source from the
   screen , m
5 n = 6; // No. of bright fringe from the centre
6 x = 1.22; // Position of 6th bright fringe , cm
7 lambda = x*d/(n*D); // Wavelength of light used , m
8 printf("\nThe wavelength of the light from coherent
   sources = %5.3e cm", lambda);
9
10 // Result
11 // The wavelength of the light from coherent sources
   = 4.067e-005 cm
```

Scilab code Exa 2.5 Separation between fourth order dark fringes

```
1 // Scilab Code Ex2.5:: Page-2.10 (2009)
2 clc; clear;
3 lambda1 = 5890e-008; // Wavelength of D1 line of
   sodium , cm
4 lambda2 = 5896e-008; // Wavelength of D2 line of
   sodium , cm
5 D = 120; // Distance between source and the
   screen , cm
6 d = 0.025; // Separation between the slits , cm
7 n = 4; // Order of dark fringe
```

```

8 x1 = (2*n+1)*lambda1*D/(2*d); // Position of 4th
  dark fringe due to D1 line , cm
9 x2 = (2*n+1)*lambda2*D/(2*d); // Position of 4th
  dark fringe due to D2 line , cm
10 delta_x = x2-x1; // Fringe separation , cm
11
12 printf("\nThe separation between fourth order dark
  fringes = %4.2e cm", x2-x1);
13
14 // Result
15 // The separation between fourth order dark fringes
  = 1.30e-03 cm

```

Scilab code Exa 2.6 Distance between two coherent sources

```

1 // Scilab Code Ex2.6:: Page-2.11 (2009)
2 clc; clear;
3 lambda = 5500e-008; // Wavelength of light used ,
  cm
4 Y1 = 10; // Distance of biprism from the source ,
  cm
5 Y2 = 90; // Distance of biprism from the screen ,
  cm
6 D = Y1 + Y2; // Distance between slits and the
  screen , cm
7 b = 8.526e-02; // Fringe width , cm
8 d = lambda*D/b; // Separation between the slits , cm
9
10 printf("\nThe distance between two coherent sources
  = %4.2e cm", d);
11
12 // Result
13 // The distance between two coherent sources = 6.45e
  -02 cm

```

Scilab code Exa 2.7 Fringe width of the interference pattern due to biprism

```
1 // Scilab Code Ex2.7:: Page-2.11 (2009)
2 clc; clear;
3 alpha = %pi/180; // Acute angle of biprism ,
   radian
4 mu = 1.5; // Refractive index of biprism
5 lambda = 5500e-008; // Wavelength of light used ,
   cm
6 y1 = 5; // Distance of biprism from the source ,
   cm
7 y2 = 75; // Distance of biprism from the screen ,
   cm
8 D = y1 + y2; // Distance between slits and the
   screen , cm
9 d = 2*(mu-1)*alpha*y1; // Separation between the
   slits , cm
10 b = lambda*D/d; // Fringe width of the interference
   pattern due to biprism , cm
11
12 printf("\\nThe fringe width of the interference
   pattern due to biprism = %4.2e cm", b);
13
14 // Result
15 // The fringe width of the interference pattern due
   to biprism = 5.04e-02 cm
```

Scilab code Exa 2.8 Angle of vertex of the biprism

```
1 // Scilab Code Ex2.8:: Page-2.11 (2009)
2 clc; clear;
3 mu = 1.5; // Refractive index of biprism
```

```

4 lambda = 5500e-008;    // Wavelength of light used ,
   cm
5 y1 = 5;    // Distance of biprism from the source ,
   cm
6 y2 = 95;    // Distance of biprism from the screen ,
   cm
7 D = y1 + y2;    // Distance between slits and the
   screen , cm
8 b = 0.025; // Fringe width of the interference
   pattern due to biprism , cm
9 // As  $d = 2 * (\mu - 1) * \alpha * y_1$ , solving for alpha
10 alpha = lambda * D / (b * 2 * (\mu - 1) * y1) // Angle of
   vertex of the biprism , radian
11
12 printf("\nThe angle of vertex of the biprism = %3.1e
   rad", alpha);
13
14 // Result
15 // The angle of vertex of the biprism = 4.4e-02 rad

```

Scilab code Exa 2.9 Number of interference fringes for changed wavelength

```

1 // Scilab Code Ex2.9:: Page-2.12 (2009)
2 clc; clear;
3 n1 = 69; // Number of interference fringes
   obtained with yellow wavelength
4 lambda1 = 5893e-008; // Wavelength of yellow
   light used , cm
5 lambda2 = 5461e-008; // Wavelength of green light
   used , cm
6 // As  $n * \lambda = l * d / D = \text{constant}$ , therefore
7 n2 = n1 * lambda1 / lambda2; // Number of
   interference fringes for green wavelength
8
9 printf("\nThe number of interference fringes for

```

```

    changed wavelength = %2d", ceil(n2));
10
11 // Result
12 // The number of interference fringes for changed
    wavelength = 75

```

Scilab code Exa 2.10 Wavelength of light in a biprism experiment

```

1 // Scilab Code Ex2.10:: Page-2.12 (2009)
2 clc; clear;
3 D = 100; // Distance between slits and the screen
    , cm
4 d = 0.08; // Separation between the slits , cm
5 b = 2.121/25; // Fringe width of the interference
    pattern due to biprism , cm
6 lambda = b*d/D; // Wavelength of light in a
    biprism experiment , cm
7
8 printf("\nThe wavelength of light in a biprism
    experiment = %5.0f angstrom", lambda/1e-008);
9
10 // Result
11 // The wavelength of light in a biprism experiment =
    6787 angstrom

```

Scilab code Exa 2.11 Fringe width at a certain distance from biprism

```

1 // Scilab Code Ex2.11:: Page-2.13 (2009)
2 clc; clear;
3 alpha = %pi/180; // Acute angle of biprism ,
    radian
4 mu = 1.5; // Refractive index of biprism

```



```

5 lambda = 5900e-008;    // Wavelength of light used ,
   cm
6 y1 = 10;    // Distance of biprism from the source ,
   cm
7 y2 = 100;    // Distance of biprism from the screen ,
   cm
8 D = y1 + y2;    // Distance between slits and the
   screen , cm
9 d = 2*(mu-1)*alpha*y1; // Separation between the
   slits , cm
10 b = lambda*D/d; // Fringe width of the interference
   pattern due to biprism , cm
11
12 printf("\nThe fringe width at a distance of %d cm
   from biprism = %4.2e cm", y2, b);
13
14 // Result
15 // The fringe width at a distance of 100 cm from
   biprism = 3.72e-02 cm

```

Scilab code Exa 2.12 Distance between coherent sources in biprism experiment

```

1 // Scilab Code Ex2.12:: Page-2.13 (2009)
2 clc; clear;
3 lambda = 5893e-008;    // Wavelength of light used ,
   cm
4 y1 = 10;    // Distance of biprism from the source ,
   cm
5 y2 = 100;    // Distance of biprism from the screen ,
   cm
6 D = y1 + y2;    // Distance between slits and the
   screen , cm
7 b = 3.5e-02; // Fringe width of the interference
   pattern due to biprism , cm

```

```

8 d = lambda*D/b; // Distance between coherent
    sources , cm
9
10 printf("\nThe distance between coherent sources = %5
    .3f cm", d);
11
12 // Result
13 // The distance between coherent sources = 0.185 cm

```

Scilab code Exa 2.13 Effect of slit separation on fringe width

```

1 // Scilab Code Ex2.13:: Page-2.13 (2009)
2 clc; clear;
3 b = 0.125; // Fringe width of the interference
    pattern due to biprism , cm
4 d = 1; // For simplicity assume distance between
    sources to be unity , cm
5 d_prime = 3/4*d; // New distance between sources ,
    cm
6 // As b is proportional to 1/d, so
7 b_prime = b*d/d_prime; // New fringe width of the
    interference pattern due to biprism , cm
8
9 printf("\nThe new value of fringe width due to
    reduced slit separation = %5.3f cm", b_prime);
10
11 // Result
12 // The new value of fringe width due to reduced slit
    separation = 0.167 cm

```

Scilab code Exa 2.14 Effect of slit biprism separation on fringe width

```

1 // Scilab Code Ex2.14:: Page-2.13 (2009)

```

```

2  clc; clear;
3  b = 0.187; // Fringe width of the interference
    pattern due to biprism , cm
4  y1 = 1; // For simplicity assume distance between
    slit and biprism to be unity , cm
5  y1_prime = 1.25*y1; // New distance between slit
    and biprism , cm
6  // As d is directly proportional to y1 and b is
    directly proportional to d, so
7  // b is inversely proportional to y1
8  b_prime = b*y1/y1_prime; // New fringe width of the
    interference pattern due to biprism , cm
9
10 printf("\\nThe new value of fringe width due to
    increased slit-biprism separation = %5.3f cm",
    b_prime);
11
12 // Result
13 // The new value of fringe width due to increased
    slit-biprism separation = 0.150 cm

```

Scilab code Exa 2.15 Distance between interference bands

```

1 // Scilab Code Ex2.15:: Page-2.14 (2009)
2 clc; clear;
3 d1 = 5e-01; // First distance between images of the
    slit , cm
4 d2 = 2.25e-01; // Second distance between images of
    the slit , cm
5 lambda = 5896e-008; // Wavelength of the light used ,
    cm
6 D = 120; // Distance between screen and the slits
    , cm
7 d = sqrt(d1*d2); // Geometric mean of distance
    between the two slits , cm

```

```

8 b = lambda*D/d;      // Distance between interference
   bands, cm
9
10 printf("\nThe distance between interference bands =
    %5.3e cm", b);
11
12 // Result
13 // The distance between interference bands = 2.109e
    -02 cm

```

Scilab code Exa 2.16 Angle of vertex of Fresnel biprism

```

1 // Scilab Code Ex2.16:: Page-2.14 (2009)
2 clc; clear;
3 mu = 1.5; // Refractive index of biprism
4 lambda = 5500e-008; // Wavelength of light used,
   cm
5 y1 = 25; // Distance of biprism from the source,
   cm
6 y2 = 150; // Distance of biprism from the screen,
   cm
7 D = y1 + y2; // Distance between slits and the
   screen, cm
8 b = 0.05; // Fringe width of the interference
   pattern due to biprism, cm
9 // As  $d = 2*(\mu-1)*\alpha*y1$ , solving for alpha
10 alpha = lambda*D/(b*2*(mu-1)*y1) // Angle of
   vertex of the biprism, radian
11
12 printf("\nThe angle of vertex of the biprism = %6.4f
    rad", alpha);
13
14 // Result
15 // The angle of vertex of the biprism = 0.0077 rad

```

Scilab code Exa 2.17 Wavelength of light used in biprism experiment to illuminate slits

```
1 // Scilab Code Ex2.17:: Page-2.15 (2009)
2 clc; clear;
3 theta = 178; // Vertex angle of biprism, degrees
4 alpha = (180-theta)/2*%pi/180; // Acute angle of
    biprism, radian
5 mu = 1.5; // Refractive index of biprism
6 y1 = 20; // Distance of biprism from the source,
    cm
7 y2 = 125; // Distance of biprism from the screen,
    cm
8 D = y1 + y2; // Distance between slits and the
    screen, cm
9 d = 2*(mu-1)*alpha*y1; // Separation between the
    slits, cm
10 b = 0.025; // Fringe width of the interference
    pattern due to biprism, cm
11 lambda = b*d/D; // Wavelength of light used, cm
12
13 printf("\\nThe wavelength of light used to illuminate
    slits = %4d angstrom", lambda/1e-08);
14
15 // Result
16 // The wavelength of light used to illuminate slits
    = 6018 angstrom
```

Scilab code Exa 2.18 Vertex angle of Fresnel biprism

```
1 // Scilab Code Ex2.18:: Page-2.15 (2009)
2 clc; clear;
```

```

3 mu = 1.5;    // Refractive index of biprism
4 lambda = 6600e-008;    // Wavelength of light used,
    cm
5 y1 = 40;    // Distance of biprism from the source,
    cm
6 y2 = 175;    // Distance of biprism from the screen,
    cm
7 D = y1 + y2;    // Distance between slits and the
    screen, cm
8 b = 0.04;    // Fringe width of the interference
    pattern due to biprism, cm
9 // As  $d = 2*(\mu-1)*\alpha*y1$ , solving for alpha
10 alpha = lambda*D/(b*2*(mu-1)*y1)    // Acute angle
    of the biprism, radian
11 theta = (%pi-2*alpha);    // Vertex angle of the
    biprism, radian
12
13 printf("\nThe vertex angle of the biprism = %6.2 f
    degrees", theta*180/%pi);
14
15 // Result
16 // The vertex angle of the biprism = 178.98 degrees

```

Scilab code Exa 2.19 Order of visible fringe for changed wavelength of light

```

1 // Scilab Code Ex2.19: : Page-2.16 (2009)
2 clc; clear;
3 lambda1 = 7000e-008;    // Original wavelength of
    light, cm
4 lambda2 = 5000e-008;    // New wavelength of light,
    cm
5 n1 = 10;    // Order of the fringes with original
    wavelength
6 // As  $x = n*\lambda*D/d$ , so  $n*\lambda = \text{constant}$ 

```

```

7 // n1*lambda1 = n2*lambda2, solving for n2
8 n2 = n1*lambda1/lambda2; // Order of visible
  fringe for changed wavelength of light
9
10 printf("\nThe order of visible fringe for changed
  wavelength of light = %2d", ceil(n2));
11
12 // Result
13 // The order of visible fringe for changed
  wavelength of light = 14

```

Scilab code Exa 2.20 Angle of vertex of biprism

```

1 // Scilab Code Ex1.20:: Page-2.16 (2009)
2 clc; clear;
3 y1 = 40; // Distance between biprism from the
  slit, cm
4 D = 160; // Distance between slit and the screen,
  cm
5 mu = 1.52; // Refractive index of material of the
  prism
6 lambda = 5893e-008; // Wavelength of light used, cm
7 b = 0.01; // Fringe width, cm
8 // As  $b = \lambda D/d$ , solving for d
9 d = lambda*D/b; // Distance between virtual
  sources, cm
10 // But  $d = 2*y1*(\mu-1)*\alpha$ , solving for alpha
11 alpha = d/(2*y1*(mu-1))*180/%pi; // Angle of
  biprism, degrees
12 theta = 180-2*alpha; // Angle of vertex of
  biprism, degrees
13
14 printf("\nThe angle of vertex of biprism = %5.1f
  degree", theta);
15

```

```

16 // Result
17 // The angle of vertex of biprism = 177.4 degree

```

Scilab code Exa 2.21 Separation between two coherent sources

```

1 // Scilab Code Ex2.21: : Page-2.16 (2009)
2 clc; clear;
3 lambda = 6000e-008; // Wavelength of light used,
   cm
4 D = 100; // Distance between slits and the screen
   , cm
5 b = 0.05; // Fringe width of the interference
   pattern due to biprism, cm
6 d = lambda*D/b; // Distance between coherent
   sources, cm
7
8 printf("\\nThe distance between coherent sources = %3
   .1 f mm", d/1e-01);
9
10 // Result
11 // The distance between coherent sources = 1.2 mm

```

Scilab code Exa 2.22 Refractive index of the glass sheet

```

1 // Scilab Code Ex2.22:: Page-2.19 (2009)
2 clc; clear;
3 t = 3.2e-04; // Thickness of the glass sheet, cm
4 lambda = 5500e-008; // Wavelength of light used,
   cm
5 n = 5; // Order of interference fringes
6 // As path difference  $(\mu - 1)*t = n*\lambda$ 
7  $\mu = n*\lambda/t + 1$ ; // Refractive index of the
   glass sheet

```



```

8
9 printf("\nThe refractive index of the glass sheet=
    %4.2f", mu);
10
11 // Result
12 // The refractive index of the glass sheet= 1.86

```

Scilab code Exa 2.23 Refractive index of material of sheet

```

1 // Scilab Code Ex2.23:: Page-2.19 (2009)
2 clc; clear;
3 t = 2.1e-03; // Thickness of the glass sheet, cm
4 lambda = 5400e-008; // Wavelength of light used,
    cm
5 n = 11; // Order of interference fringes
6 // As path difference, (mu - 1)*t = n*lambda
7 mu = n*lambda/t + 1; // Refractive index of the
    glass sheet
8
9 printf("\nThe refractive index of the glass sheet =
    %4.2f", mu);
10
11 // Result
12 // The refractive index of the glass sheet= 1.28

```

Scilab code Exa 2.24 Wavelength of light used in biprism arrangement

```

1 // Scilab Code Ex2.24:: Page-2.19 (2009)
2 clc; clear;
3 t = 9.21e-05; // Thickness of the mica sheet, cm
4 mu = 1.5; // Refractive index of material of sheet
5 n = 1; // Order of interference fringes

```

```

6 // As path difference ,  $(\mu - 1)*t = n*\lambda$  ,
  solving for lambda
7 lambda =  $(\mu - 1)*t/n$ ; // Wavelength of light
  used , cm
8
9 printf("\nThe wavelength of light used = %5.3e cm",
  lambda);
10
11 // Result
12 // The wavelength of light used = 4.605e-005 cm

```

Scilab code Exa 2.25 Thickness of the transparent sheet

```

1 // Scilab Code Ex2.25:: Page-2.19 (2009)
2 clc; clear;
3 lambda = 5890e-008; // Wavelength of light used ,
  cm
4 mu = 1.5; // Refractive index of material sheet
5 // As shift =  $9*\lambda*D/d = D/d*(\mu - 1)*t$  , solving
  for t
6 t =  $9*\lambda/(\mu - 1)$ ; // Thickness of the glass
  sheet , cm
7 printf("\nThe thickness of the glass sheet = %4.2e
  cm", t);
8
9 // Result
10 // The thickness of the glass sheet = 1.06e-003 cm

```

Scilab code Exa 2.26 Thickness of the transparent sheet from fringe shift

```

1 // Scilab Code Ex2.26:: Page-2.20 (2009)
2 clc; clear;

```

```

3 lambda = 5400e-008;      // Wavelength of light used,
   cm
4 mu = 1.7;      // Refractive index of material sheet
   converging the first slit
5 mu_prime = 1.5;      // Refractive index of material
   sheet converging the second slit
6 // As shift ,  $S = D/d*(mu - mu\_prime)*t = b/lambda*($ 
    $mu - mu\_prime)*t$ , solving for t
7 t = 8*lambda/(mu-mu_prime)      // Thickness of the
   glass sheet , cm
8
9 printf("\nThe thickness of the glass sheet = %4.2e
   cm", t);
10
11 // Result
12 // The thickness of the glass sheet = 2.16e-003 cm

```

Scilab code Exa 2.27 Refractive index of thin mica sheet

```

1 // Scilab Code Ex2.27:: Page-2.20 (2009)
2 clc; clear;
3 t = 21.5e-05;      // Thickness of the glass sheet , cm
4 lambda = 5890e-008;      // Wavelength of light used,
   cm
5 n = 1;      // Order of interference fringes
6 // As path difference ,  $(mu - 1)*t = n*lambda$ 
7 mu = n*lambda/t + 1;      // Refractive index of the
   glass sheet
8
9 printf("\nThe refractive index of the glass sheet =
   %5.3 f", mu);
10
11 // Result
12 // The refractive index of the glass sheet = 1.274

```

Scilab code Exa 2.28 Wavelength of light used in double slit experiment

```
1 // Scilab Code Ex2.28:: Page-2.20 (2009)
2 clc; clear;
3 D = 1; // For simplicity assume distance between
        source and slits to be unity, unit
4 d = 1; // For simplicity assume slit separation to
        be unity, unit
5 t = 2.964e-06; // Thickness of the mica sheet, cm
6 mu = 1.5; // Refractive index of material of shee
7 L = poly(0, 'L');
8 // As  $b = b_{\text{prime}}$  or  $2.25 * D * L / d = D / d * (\mu - 1) * t$ , or
        we may write
9 L = roots(2.25 * D * L / d - D / d * (mu - 1) * t); //
        Wavelength of the light used, m
10
11 printf("\\nThe wavelength of the light used = %4.0f
        angstrom", L/1e-010);
12
13 // Result
14 // The wavelength of the light used = 6587 angstrom
```

Scilab code Exa 2.29 Thickness of mica sheet from central fringe shift

```
1 // Scilab Code Ex2.29:: Page-2.21 (2009)
2 clc; clear;
3 lambda = 5890e-008; // Wavelength of light used,
        cm
4 n = 5; // Order of interference fringes
5 mu = 1.5; // Refractive index of the mica sheet
6 // As path difference,  $(\mu - 1) * t = n * \lambda$ ,
        solving for t
```

```

7 t = n*lambda/(mu-1);    // Thickness of the mica
    sheet , cm
8
9 printf("\nThe thickness of the mica sheet = %4.2e cm
    ", t);
10
11 // Result
12 // The thickness of the mica sheet = 5.89e-004 cm

```

Scilab code Exa 2.30 Refractive index of material from shifting fringe pattern

```

1 // Scilab Code Ex2.30:: Page-2.21 (2009)
2 clc; clear;
3 b = 1;    // For simplicity assume fringe width to
    be unity , cm
4 S = 30*b; // Fringe shift , cm
5 lambda = 6600e-008; // Wavelength of light used ,
    cm
6 t = 4.9e-003; // Thickness of the film , cm
7 // As  $S = b/\lambda * (\mu - 1) * t$ , solving for mu
8 mu = S*lambda/t + 1; // Refractive index of
    material from shifting fringe pattern
9
10 printf("\nThe refractive index of material from
    shifting fringe pattern = %3.1f", mu);
11
12 // Result
13 // The refractive index of material from shifting
    fringe pattern = 1.4

```

Scilab code Exa 2.31 Fringe width and optical path change during interference of waves through mica and glass

```

1 // Scilab Code Ex2.31:: Page-2.22 (2009)
2 clc; clear;
3 mu1 = 1.55; // Refractive index of mica
4 mu2 = 1.52; // Refractive index of glass
5 t = 0.75e-003; // Thickness of the sheets , m
6 d = 0.25e-02; // Separation between the slits , m
7 lambda = 5896e-010; // Wavelength of light used , m
8 D = 1.5; // Distance between the source and the
    slits , m
9 // Fringe width
10 b = lambda*D/d; // Fringe width , m
11 // Optical path difference
12 delta_x = (mu1-1)*t-(mu2-1)*t; // Optical path
    change , m
13
14 printf("\\nThe fringe width = %3.1e m", b);
15 printf("\\nThe optical path change = %5.3e m",
    delta_x);
16
17 // Result
18 // The fringe width = 3.5e-004 m
19 // The optical path change = 2.250e-005 m

```

Scilab code Exa 2.32 Thickness of mica sheet from Fresnel biprism experiment

```

1 // Scilab Code Ex2.32:: Page-2.22 (2009)
2 clc; clear;
3 b = 1; // For simplicity assume fringe width to
    be unity , cm
4 S = 3*b; // Fringe shift , cm
5 lambda = 5890e-008; // Wavelength of light used ,
    cm
6 mu = 1.6; // Refractive index of the mica sheet
7 // As  $S = b/\lambda * (\mu - 1) * t$ , solving for t

```

```

8 t = S*lambda/(mu-1);          // Thickness of the mica
    sheet , cm
9
10 printf("\nThe thickness of the mica sheet = %3.1e m"
    , t/1e+02);
11
12 // Result
13 // The thickness of the mica sheet = 2.9e-006 m

```

Scilab code Exa 2.33 Smallest thickness of glass plate for a fringe of minimum intensity

```

1 // Scilab Code Ex2.33: : Page-2.26 (2009)
2 clc; clear;
3 mu = 1.5;          // Refractive index of glass
4 lambda = 5100e-008; // Wavelength of light used , cm
5 i = 30;           // Angle of incidence , degrees
6 n = 1;           // Order of interference fringes
7 // From Snell's law, mu = sind(i)/sind(r), solving
    for r
8 r = asind(sind(i)/mu); // Angle of refraction ,
    degrees
9 // For a dark fringe in reflection , 2*mu*t*cosd(r) =
    n*lambda, solving for t
10 t = n*lambda/(2*mu*cosd(r)); // Smallest
    thickness of glass plate for a fringe of minimum
    intensity , cm
11 printf("\nThe smallest thickness of glass plate for
    a fringe of minimum intensity = %4.2e cm", t);
12
13 // Result
14 // The smallest thickness of glass plate for a
    fringe of minimum intensity = 1.80e-005 cm

```

Scilab code Exa 2.34 The wavelength reflected strongly from the soap film

```
1 // Scilab Code Ex2.34:: Page-2.26 (2009)
2 clc; clear;
3 t = 3.1e-05; // Thickness of the soap film , cm
4 mu = 1.33; // Refractive index of the soap film
5 r = 0; // Angle of refraction of the light ray
   on the soap film , degrees
6 // For bright fringe in reflected pattern ,
7 //  $2*\mu*t*\cosd(r) = (2*n+1)*\lambda/2$ 
8 lambda = zeros(3);
9 for n = 1:1:3
10     lambda(n) = 4*mu*t*cosd(r)/(2*(n-1)+1); //
   Wavelengths for n = 1, 2 and 3
11     if lambda(n) > 4000e-008 & lambda(n) < 7500e-008
   then
12         lambda_reflected = lambda(n);
13     end
14 end
15
16 printf("\n\nThe wavelength reflected strongly from the
   soap film = %5.3e cm", lambda_reflected);
17
18 // Result
19 // The wavelength reflected strongly from the soap
   film = 5.497e-05 cm
```

Scilab code Exa 2.35 Order of interference of the dark band

```
1 // Scilab Code Ex2.35:: Page-2.27 (2009)
2 clc; clear;
```



```

3 t = 3.8e-05;    // Thickness of the transparent film
  , cm
4 mu = 1.5;      // Refractive index of the
  transparent film
5 i = 45;        // Angle of incidence of the light ray
  on the transparent film , degrees
6 lambda = 5700e-008;    // Wavelength of light , cm
7 // As  $\mu = \frac{\sin(i)}{\sin(r)}$ , solving for r
8 r = asind(sind(i)/mu);
9 // For dark fringe in reflected pattern ,
10 //  $2\mu t \cos(r) = 2n\lambda$ , solving for n
11 n = 2*mu*t*cosd(r)/lambda;    // Order of
  interference of dark band
12
13 printf("\nThe order of interference of dark band =
  %d", ceil(n));
14
15 // Result
16 // The order of interference of dark band = 2
  vavelength reflected strongly from the soap film =
  5.497e-05 cm

```

Scilab code Exa 2.36 Absent wavelength of reflected light in the visible spectrum

```

1 // Scilab Code Ex2.36:: Page-2.27 (2009)
2 clc; clear;
3 t = 4.5e-05;    // Thickness of the soap film , cm
4 mu = 1.33;     // Refractive index of the soap film
5 i = 45;        // Angle of incidence of the light ray
  on the soap film , degrees
6 // As  $\mu = \frac{\sin(i)}{\sin(r)}$ , solving for r
7 r = asind(sind(i)/mu);
8 // For dark fringe in reflected pattern ,
9 //  $2\mu t \cos(r) = n\lambda$ , solving for lambda for

```

```

        different n's
10 lambda = zeros(4);
11 for n = 1:1:4
12     lambda(n) = 2*mu*t*cosd(r)/n;    // Wavelengths
        for n = 1, 2, 3 and 4
13     if lambda(n) > 4000e-008 & lambda(n) < 7500e-008
        then
14         lambda_absent = lambda(n);
15     end
16 end
17 printf("\nThe absent wavelength of reflected light
        in the visible spectrum = %4.2e", lambda_absent);
18
19 // Result
20 // The absent wavelength of reflected light in the
        visible spectrum = 5.07e-05

```

Scilab code Exa 2.37 Minimum thickness of the plate that will appear dark in the reflection pattern

```

1 // Scilab Code Ex2.37:: Page-2.28 (2009)
2 clc; clear;
3 mu = 1.6;    // Refractive index of the mica plate
4 r = 60;    // Angle of refraction of the light ray
        on the mica plate, degrees
5 lambda = 5500e-008;    // Wavelength of light used,
        cm
6 n = 1;    // Order of interference for minimum
        thickness
7 // For dark fringe in reflected pattern,
8 //  $2\mu t \cosd(r) = 2n\lambda$ , solving for t
9 t = n*lambda/(2*mu*cosd(r));    // Minimum thickness
        of the plate that will appear dark in the
        reflection pattern
10

```

```

11 printf("\nThe minimum thickness of the plate that
    will appear dark in the reflection pattern = %4.2
    e cm", t);
12
13 // Result
14 // The minimum thickness of the plate that will
    appear dark in the reflection pattern = 3.44e-05
    cm

```

Scilab code Exa 2.38 Thickness of the thin soap film

```

1 // Scilab Code Ex2.38:: Page-2.28 (2009)
2 clc; clear;
3 mu = 1.33; // Refractive index of the thin soap
    film
4 lambda1 = 5500e-008; // Wavelength of the first
    dark fringe, cm
5 lambda2 = 5400e-008; // Wavelength of the
    consecutive dark fringe, cm
6 i = 30; // Angle of incidence of the light ray
    on the soap film, degrees
7 // For overlapping fringes,
8 //  $n \cdot \lambda_1 = (n+1) \cdot \lambda_2$ , solving for n
9 n = lambda2/(lambda1-lambda2); // Order of
    interference fringes
10 // As  $\mu = \sin(i)/\sin(r)$ , solving for r
11 r = asind(sind(i)/mu);
12 // For dark fringe in reflected pattern,
13 //  $2 \cdot \mu \cdot t \cdot \cosd(r) = 2 \cdot n \cdot \lambda_1$ , solving for t
14 t = n*lambda1/(2*mu*cosd(r)); // Thickness of the
    thin soap film
15
16 printf("\nThe thickness of the thin soap film = %5.3
    e cm", t);
17

```

```
18 // Result
19 // The thickness of the thin soap film = 1.205e-03
    cm
```

Scilab code Exa 2.39 Order of interference for which light is strongly reflected

```
1 // Scilab Code Ex2.39:: Page-2.29 (2009)
2 clc; clear;
3 t = 0.75e-06; // Thickness of the glass plate, m
4 mu = 1.5; // Refractive index of the glass
    plate
5 lambda1 = 4000e-010; // First wavelength of
    visible range, cm
6 lambda2 = 7000e-010; // Last wavelength of
    visible range, cm
7 r = 0; // Angle of refraction for normal
    incidence, degrees
8 n = zeros(2);
9 // For bright fringe in reflected pattern,
10 //  $2*\mu*t*\cosd(r) = (2*n+1)*\lambda/2$ , solving for n
11 // For lambda1
12 n(1) = (4*mu*t*cosd(r)/lambda1-1)/2;
13 // For lambda2
14 n(2) = (4*mu*t*cosd(r)/lambda2-1)/2;
15
16 printf("\nFor n = %d and n = %d the light is
    strongly reflected.", n(1), ceil(n(2)));
17
18 // Result
19 // For n = 5 and n = 3 the light is strongly
    reflected.
```

Scilab code Exa 2.40 Minimum thickness of the film for which light is strongly reflected

```
1 // Scilab Code Ex2.40:: Page-2.30 (2009)
2 clc; clear;
3 mu = 1.45; // Refractive index of the film
4 lambda = 5500e-010; // First wavelength of
   visible range, cm
5 r = 0; // Angle of refraction for normal
   incidence, degrees
6 n = 0; // Order of interference is zero for
   minimum thickness
7 // For bright fringe in reflected pattern,
8 //  $2*\mu*t*\cosd(r) = (2*n+1)*\lambda/2$ , solving for t
9 t = (2*n+1)*lambda/(4*mu*cosd(r)); // Minimum
   thickness of the film for which light is strongly
   reflected
10
11 printf("\\nThe minimum thickness of the film for
   which light is strongly reflected = %4.2e cm", t)
   ;
12
13 // Result
14 // The minimum thickness of the film for which light
   is strongly reflected = 9.48e-08 cm
```

Scilab code Exa 2.41 Thickness of the soap film for dark fringe in reflected pattern

```
1 // Scilab Code Ex2.41:: Page-2.30 (2009)
2 clc; clear;
3 mu = 5/4; // Refractive index of the film
4 lambda = 5890e-010; // Wavelength of visible
   light, cm
5 i = 45; // Angle of incidence, degrees
```

```

6 n = 1;          // Order of interference is unity for
  minimum thickness in dark reflected pattern
7 // As  $\mu = \sin(i)/\sin(r)$ , solving for r
8 r = asind(sind(i)/mu);
9 // For dark fringe in reflected pattern,
10 //  $2*\mu*t*\cosd(r) = n*\lambda$ , solving for t
11 t = n*lambda/(2*mu*cosd(r));    // Thickness of the
  soap film for dark fringe in reflected pattern
12
13 printf("\nThe thickness of the soap film for dark
  fringe in reflected pattern = %5.3e cm", t);
14
15 // Result
16 // The thickness of the soap film for dark fringe in
  reflected pattern = 2.857e-07 cm

```

Scilab code Exa 2.42 Wavelength in the visible range which is intensified in the reflected beam

```

1 // Scilab Code Ex2.42:: Page-2.30 (2009)
2 clc; clear;
3 mu = 1.5;          // Refractive index of the plate
4 t = 0.5e-006;     // Thickness of the plate, m
5 r = 0;           // Angle of refraction for normal
  incidence, degrees
6 // For bright fringe in reflected pattern,
7 //  $2*\mu*t*\cosd(r) = (2*n+1)*\lambda/2$ , solving for
  lambda for different n's
8 lambda = zeros(4);
9 for n = 0:1:3
10     lambda(n+1) = 4*mu*t*cosd(r)/(2*n+1);    //
  Wavelengths for n = 0, 1, 2 and 3
11     lambda_strong = lambda(n+1);
12     if lambda(n+1) >= 4000e-010 & lambda(n+1) <=
  7500e-010 then

```

```

13         if lambda_strong > lambda(n+1) then //
14             Search for the stronger wavelength
15             lambda_strong = lambda(n+1);
16         end
17     end
18
19     printf("\nFor n = %d, %4.0f angstrom will be
20         reflected strongly", n, lambda_strong/1e-010);
21 // Result
22 // For n = 3, 4286 angstrom will be reflected
23     strongly

```

Scilab code Exa 2.43 Thickness of the film with incident white light

```

1 // Scilab Code Ex2.43:: Page – 2.31(2009)
2 clc; clear;
3 mu = 1.33; // Refractive index of the film
4 i = asind(0.8); // Angle of refraction for
5     normal incidence, degrees
6 // As  $\mu = \frac{\sin(i)}{\sin(r)}$ , solving for r
7 r = asind(sind(i)/mu);
8 lambda1 = 6100e-010; // First wavelength of dark
9     band, m
10 lambda2 = 6000e-010; // Second wavelength of dark
11     band, m
12 // For consecutive overlapping wavelenghts
13 //  $n \cdot \lambda_1 = (n+1) \cdot \lambda_2$ , solving for n
14 n = lambda2/(lambda1-lambda2);
15 // For dark fringe in reflected pattern,
16 //  $2 \cdot \mu \cdot t \cdot \cosd(r) = n \cdot \lambda_1$ , solving for t
17 t = n*lambda1/(2*mu*cosd(r)); // Thickness of the
18     film with incident white light. m
19 printf("\nThickness of the film with incident white

```

```

    light = %3.1e m", t);
16
17 // Result
18 // Thickness of the film with incident white light =
    1.7e-05 m

```

Scilab code Exa 2.44 Thickness of the film with parallel beam of yellow light

```

1 // Scilab Code Ex2.44:: Page-2.31(2009)
2 clc; clear;
3 mu = 1.5; // Refractive index of the film
4 i = 45; // Angle of incidence, degrees
5 // As mu = sind(i)/sind(r), solving for r
6 r = asind(sind(i)/mu);
7 lambda = 5500e-010; // Wavelength of parallel
    beam of light, m
8 n = 15; // Order of dark band
9 // For dark fringe in reflected pattern,
10 // 2*mu*t*cosd(r) = n*lambda, solving for t
11 t = n*lambda/(2*mu*cosd(r)); // Thickness of the
    film with incident parallel beam of light. m
12
13 printf("\nThe thickness of the film with paralle
    beam of yellow light = %4.2e m", t);
14
15 // Result
16 // The thickness of the film with paralle beam of
    yellow light = 3.12e-06 m

```

Scilab code Exa 2.46 Refractive index of oil

```

1 // Scilab Code Ex2.46:: Page-2.33(2009)

```



```

2  clc; clear;
3  V = 0.58e-006;    // Volume of oil , metre cube
4  A = 2.5;         // Area of water surface , metre
                    square
5  t = V/A;        // Thickness of film , m
6  r = 0;          // Angle of refraction for normal
                    incidence , degrees
7  n = 1;          // Order of interference for minimum
                    thickness
8  lambda = 4700e-010;    // Wavelength of light used ,
                    m
9  // For dark fringe in reflected pattern ,
10 //  $2*\mu*t*\cosd(r) = n*\lambda$ , solving for mu
11 mu = n*lambda/(2*t*cosd(r));    // Refractive index
                    of oil
12
13 printf("\\nThe refractive index of oil = %5.3f", mu);
14
15 // Result
16 // The refractive index of oil = 1.013

```

Scilab code Exa 2.47 Thickness of the soap film to produce constructive interference during reflection

```

1 // Scilab Code Ex2.47:: Page –2.33(2009)
2 clc; clear;
3 mu = 1.46;        // Refractive index of the soap film
4 lambda = 6000e-010;    // Wavelength of light used ,
                    m
5 r = 0;           // Angle of refraction for normal
                    incidence , degrees
6 n = 0;           // Order of interference for minimum
                    thickness
7 // For bright fringe in reflected pattern ,
8 //  $2*\mu*t*\cosd(r) = (2*n+1)*\lambda/2$ , solving for mu

```

```

9 t = (2*n+1)*lambda/(4*mu*cosd(r)); // Thickness of
    soap film , m
10
11 printf("\nThe thickness of soap film = %5.3e m", t);
12
13 // Result
14 // The thickness of soap film = 1.027e-07 m

```

Scilab code Exa 2.48 Wavelength of light falling on wedge shaped film

```

1 // Scilab Code Ex2.48: : Page-2.35(2009)
2 clc; clear;
3 mu = 1.4; // Refractive index of the film
4 alpha = 1.07e-004; // Acute angle of the wedge,
    radian
5 b = 0.2; // Fringe width, cm
6 // As b = lambda/(2*mu*alpha), solving for lambda
7 lambda = 2*mu*alpha*b; // Wavelength of light
    falling on wedge shaped film , m
8
9 printf("\nThe wavelength of light falling on wedge
    shaped film = %4d ansgtrom", lambda/1e-008);
10
11 // Result
12 // The wavelength of light falling on wedge shaped
    film = 5991 ansgtrom

```

Scilab code Exa 2.49 Difference between the thicknesses of the films

```

1 // Scilab Code Ex2.49:: Page-2.35(2009)
2 clc; clear;
3 mu = 1.4; // Refractive index of the film
4 lambda = 5500e-008; // Wavelength of the light , cm

```

```

5 // As  $\alpha = (\text{delta\_t})/x$  and  $x = 10*b$ ;  $b = \text{lambda}$ 
  //  $/(2*\mu*\alpha)$ , solving for dt
6 delta_t = 10*lambda/(2*mu); // Difference
  between the thicknesses of the films, cm
7
8 printf("\nDifference between the thicknesses of the
  films = %4.2e cm", delta_t);
9
10 // Result
11 // Difference between the thicknesses of the films =
  1.96e-04 cm

```

Scilab code Exa 2.50 Angle of thin wedge shaped film

```

1 // Scilab Code Ex2.50:: Page-2.36(2009)
2 clc; clear;
3 mu = 1.6; // Refractive index of the film
4 lambda = 5500e-008; // Wavelength of the light, cm
5 b = 0.1; // Fringe width, cm
6 // As  $b = \text{lambda}/(2*\mu*\alpha)$ , solving for alpha
7 alpha = lambda/(2*mu*b); // Angle of thin wedge
  shaped film, radian
8 printf("\nAngle of thin wedge shaped film = %3.1e
  radian", alpha);
9
10 // Result
11 // Angle of thin wedge shaped film = 1.7e-04 radian

```

Scilab code Exa 2.51 Wavelength of light used to illuminate a wedge shaped film

```

1 // Scilab Code Ex2.51:: Page-2.36(2009)
2 clc; clear;

```

```

3 mu = 1.5;          // Refractive index of the film
4 b = 0.20;         // Fringe width, cm
5 theta = 25/(60*60)*%pi/180;    // Angle of the
    wedge, radian
6 // As  $b = \lambda/(2*\mu*\theta)$ , solving for lambda
7 lambda = 2*mu*b*theta;    // Wavelength of light
    used to illuminate a wedge shaped film, cm
8
9 printf("\n\nThe wavelength of light used to illuminate
    a wedge shaped film = %4d angstrom", lambda/1e
    -008);
10
11 // Result
12 // The wavelength of light used to illuminate a
    wedge shaped film = 7272 angstrom
13 // The answer is given wrong in the textbook

```

Scilab code Exa 2.52 Thickness of the wire separating two glass surfaces

```

1 // Scilab Code Ex2.52:: Page-2.36(2009)
2 clc; clear;
3 lambda = 5893e-010;    // Wavelength of light used,
    m
4 mu = 1;                // Refractive index of the glass
5 b = 1;                // Assume fringe width to be unity, cm
6 // As  $b = l/20$ , solving for l
7 l = b*20;            // Length of the film, m
8 // As  $b = \lambda/(2*\mu*\theta)$  and  $\theta = t/l$ ,
    solving for t
9 t = lambda*l/(2*mu);    // Thickness of the wire
    separating two glass surfaces, m
10
11 printf("\n\nThe thickness of the wire separating two
    glass surfaces = %4.2e m", t);
12

```

```
13 // Result
14 // The thickness of the wire separating two glass
    surfaces = 5.89e-06 m
```

Scilab code Exa 2.53 Angle of the wedge shaped air film

```
1 // Scilab Code Ex2.53:: Page -2.37(2009)
2 clc; clear;
3 mu = 1; // Refractive index of the air film
4 b = 1.5/25; // Fringe width, cm
5 lambda = 5893e-008; // Wavelength of light used
    to illuminate a wedge shaped film, cm
6 // As b = lambda/(2*mu*theta), solving for theta
7 theta = lambda/(2*mu*b); // Angle of the wedge,
    radian
8
9 printf("\nThe angle of the wedge shaped air film =
    %5.3f degrees", theta*180/%pi);
10
11 // Result
12 // The angle of the wedge shaped air film = 0.028
    degrees
```

Scilab code Exa 2.54 Acute angle of the wedge shaped film

```
1 // Scilab Code Ex2.54:: Page -2.37(2009)
2 clc; clear;
3 mu = 1.45; // Refractive index of the film
4 b = 1/10; // Fringe width, cm
5 lambda = 6600e-008; // Wavelength of light used
    to illuminate a wedge shaped film, cm
6 // As b = lambda/(2*mu*theta), solving for theta
```

```

7 theta = lambda/(2*mu*b);    // Angle of the wedge,
    radian
8
9 printf("\nThe acute angle of the wedge shaped film =
    %6.4f degrees", theta*180/%pi);
10
11 // Result
12 // The acute angle of the wedge shaped film = 0.0130
    degrees

```

Scilab code Exa 2.55 Diameter of nth dark ring due to first wavelength

```

1 // Scilab Code Ex2.55:: Page-2.46(2009)
2 clc; clear;
3 lambda1 = 6000e-008;    // First visible wavelength,
    cm
4 lambda2 = 4500e-008;    // Second visible wavelength
    , cm
5 R = 100;    // Radius of curvature of the lens,
    cm
6 // As diameter of nth dark ring due to lambda1 is
7 //  $D_n^2 = 4*n*R*\lambda_1$  and  $D_{n+1}^2 = 4*(n+1)*R*$ 
    lambda2, so that  $D_n^2 = D_{n+1}^2$  gives
8 n = lambda2/(lambda1-lambda2);    // Order of
    interference for dark fringes
9 D_n = sqrt(4*n*R*lambda1);    // Diameter of nth
    dark ring due to lambda1
10
11 printf("\nThe diameter of nth dark ring due to
    wavelength of %4d angstrom = %4.2f cm", lambda1/1
    e-008, D_n);
12
13 // Result
14 // The diameter of nth dark ring due to wavelength
    of 6000 angstrom = 0.27 cm

```

Scilab code Exa 2.56 Diameter of fifteenth dark ring

```
1 // Scilab Code Ex2.56:: Page –2.46(2009)
2 clc; clear;
3 R = 1; // For simplicity assume radius of
         curvature of the lens to be unity, cm
4 D_n = 0.251; // Diameter of 3rd dark ring, cm
5 D_nplusp = 0.548; // Diameter of 9th dark ring,
                   cm
6 n = 3; // Order of 3rd Newton ring
7 p = 9 - n; // Order of 6th Newton ring from 3rd
             ring
8 // As  $D_{nplusp}^2 - D_n^2 = 4*p*R*\lambda$ , solving for
   lambda
9 lambda = (D_nplusp^2 - D_n^2)/(4*p*R); //
      Wavelength of light used
10 D_15 = sqrt(D_n^2+4*(15-n)*lambda*R); //
      Diameter of 15th dark ring, cm
11
12 printf("\nThe diameter of 15th dark ring = %5.3 f cm"
        , D_15);
13
14 // Result
15 // The diameter of 15th dark ring = 0.733 cm
```

Scilab code Exa 2.57 Order of a dark ring having thrice the diameter of the thirtieth ring

```
1 // Scilab Code Ex2.57: : Page –2.47(2009)
2 clc; clear;
3 R = 1; // For simplicity assume radius of
         curvature of the lens to be unity, cm
```

```

4 n = 30;          // Order of 3rd Newton ring
5 D_30 = 1;       // Assume diameter of thirtieth ring to
                  be unity, cm
6 // As  $D_{30}^2 = 4*n*R*\lambda$ , solving for lambda
7 lambda = D_30^2/(4*n*R); // Wavelength of light
                  used, cm
8 D_n = 3*D_30;   // Diameter of nth dark ring
                  having thrice the diameter of the thirtieth ring,
                  cm
9 n = D_n^2/(4*R*lambda); // Order of a dark ring
                  having thrice the diameter of the thirtieth ring
10
11 printf("\nThe order of the dark ring having thrice
          the diameter of the thirtieth ring = %3d", n);
12
13 // Result
14 // The order of the dark ring having thrice the
          diameter of the thirtieth ring = 270

```

Scilab code Exa 2.58 Radius of curvature of lens and thickness of air film

```

1 // Scilab Code Ex2.58:: Page-2.47(2009)
2 clc; clear;
3 n = 15;          // Order of 15rd Newton ring
4 D_15 = 0.75;    // Diameter of fifteenth dark ring,
                  cm
5 lambda = 5890e-008; // Wavelength of light used,
                  cm
6 // As  $D_{15}^2 = 4*15*R*\lambda$ , solving for R
7 R = D_15^2/(4*15*lambda); // Radius of curvature
                  of lens, cm
8 // For dark ring,  $2*t = n*\lambda$ , solving for t
9 t = n*lambda/2; // Thickness of air film, cm
10
11 printf("\nThe radius of curvature of lens = %5.1f cm

```



```

    ", R);
12 printf("\nThe thickness of air film = %3.1e cm", t);
13
14 // Result
15 // The radius of curvature of lens = 159.2 cm
16 // The thickness of air film = 4.4e-004 cm

```

Scilab code Exa 2.59 Refractive index of the liquid

```

1 // Scilab Code Ex2.59:: Page-2.47(2009)
2 clc; clear;
3 D_15 = 1.62; // Diameter of 15th dark ring
   with air film, cm
4 D_15_prime = 1.47; // Diameter of 15th dark
   ring with liquid, cm
5 R = 1; // For simplicity assume radius of
   curvature to be unity, cm
6 n = 15; // Order of 15rd Newton ring
7 // As for ring with air film,  $D_{15}^2 = 4*15*R*\lambda$ 
   , solving for lambda
8 lambda = D_15^2/(4*15*R); // Wavelength of light
   used, cm
9 // As for ring with liquid,  $D_{15\_prime}^2 = 4*15*R*$ 
   lambda/mu, solving for mu
10 mu = 4*15*R*lambda/D_15_prime^2; //
   Refractive index of the liquid
11 printf("\nThe refractive index of the liquid = %4.2 f
   ", mu)
12
13 // Result
14 // The refractive index of the liquid = 1.21

```

Scilab code Exa 2.60 Wavelength of light used in Newton rings experiment

```
1 // Scilab Code Ex2.60:: Page-2.48(2009)
2 clc; clear;
3 D_10 = 0.48; // Diameter of 10th dark ring
   with air film , cm
4 D_3 = 0.291; // Diameter of 3rd dark ring
   with air film , cm
5 p = 7; // Order of the 10th ring next to the 3
   rd ring
6 R = 90; // Radius of curvature of the lens , cm
7 lambda = (D_10^2-D_3^2)/(4*p*R); // Wavelength
   of light used in Newton rings experiment
8
9 printf("\\nThe wavelength of light used in Newton
   rings experiment = %4d angstrom", lambda/1e-008);
10
11 // Result
12 // The wavelength of light used in Newton rings
   experiment = 5782 angstrom
```

Scilab code Exa 2.61 Diameter of fifteenth bright ring

```
1 // Scilab Code Ex2.61:: Page-2.48(2009)
2 clc; clear;
3 R1 = 200; // Radius of curvature of the convex
   surface , cm
4 R2 = 250; // Radius of curvature of the
   concave surface , cm
5 lambda = 5500e-008; // Wavelength of light used , cm
6 n = 15; // Order of interference Newton ring
7 // As  $r_n^2 * (1/R1 - 1/R2) = (2*n-1) * lambda / 2$ , solving
   for r_n
8 r_n = sqrt((2*n-1)*lambda/(2*(1/R1-1/R2))); //
```

```

    Radius of nth ring , cm
9  D_15 = 2*r_n;          // Daimeter of 15th bright ring ,
    cm
10
11 printf("\nThe daimeter of 15th bright ring = %4.2 f
    cm", D_15);
12
13 // Result
14 // The daimeter of 15th bright ring = 1.79 cm

```

Scilab code Exa 2.62 Wavelength of light used in Newton rings experi-
ment

```

1 // Scilab Code Ex2.62:: Page –2.49(2009)
2 clc; clear;
3 R = 80;          // Radius of curvature of the convex
    surface , cm
4 D5 = 0.192;     // Diameter of 5th dark ring , cm
5 D25 = 0.555;   // Diameter of 25th dark ring , cm
6 n = 5;         // Order of interfernce Newton ring
7 P = 25 - n;
8 lambda = (D25^2 - D5^2)/(4*P*R);    // Wavelength of
    light used , cm
9 printf("\nThe wavelength of light used = %5.3e cm",
    lambda);
10
11 // Result
12 // The wavelength of light used = 4.237e–005 cm
13 // The expression for lambda is given wrong in the
    textbook but solved correctly

```

Scilab code Exa 2.63 Diameter of fifteenth dark Newton ring

```

1 // Scilab Code Ex2.63:: Page –2.49(2009)
2 clc; clear;
3 R1 = 4;           // Radius of curvature of the convex
   surface , m
4 R2 = 5;           // Radius of curvature of the concave
   surface , m
5 lambda = 6600e-010; // Wavelength of light used , cm
6 n = 15;           // Order of Newton ring
7 // As  $D_n^2 * (1/R1 - 1/R2) = 4 * n * \lambda$ , solving for
   D_n
8 D_15 = sqrt(4*n*lambda/(1/R1-1/R2)); // Diameter
   of 15th dark ring , cm
9
10 printf("\\nThe diameter of %dth dark ring = %4.2e m",
   n, D_15);
11
12 // Result
13 // The diameter of 15th dark ring = 2.81e-002 m
14 // The answer is given wrong in the textbook (the
   square root is not solved)

```

Scilab code Exa 2.64 Diameter of fifteenth dark ring due to first wavelength

```

1 // Scilab Code Ex2.64:: Page –2.49(2009)
2 clc; clear;
3 lambda1 = 6000e-008; // First visible wavelength ,
   cm
4 lambda2 = 4500e-008; // Second visible wavelength
   , cm
5 R = 120;           // Radius of curvature of the lens ,
   cm
6 // As diameter of nth dark ring due to lambda1 is
7 //  $D_n^2 = 4 * n * R * \lambda_1$  and  $D_{n+1}^2 = 4 * (n+1) * R * \lambda_2$ , so that  $D_n^2 = D_{n+1}^2$  gives

```

```

8 n = lambda2/(lambda1-lambda2);      // Order of
   interference for dark fringes
9 printf("\nThe value of n = %d", n);
10 n = 15;      // Order of interference fringe
11 D_n = sqrt(4*n*R*lambda1);      // Diameter of nth
   dark ring due to lambda1
12 printf("\nThe diameter of 15th dark ring due to
   wavelength of %4d angstrom = %4.2f cm", lambda1/1
   e-008, D_n);
13
14 // Result
15 // The value of n = 3
16 // The diameter of 15th dark ring due to wavelength
   of 6000 angstrom = 0.66 cm

```

Scilab code Exa 2.65 Refractive index of the liquid filled into container

```

1 // Scilab Code Ex2.65:: Page-2.49(2009)
2 clc; clear;
3 lambda = 5896e-008;      // Wavelength of light used,
   cm
4 R = 100;      // Radius of curvature of the lens,
   cm
5 D10 = 0.4;      // Diametre of 10th dark ring, cm
6 n = 10;      // Order of Newton ring
7 // As for a dark ring,  $2*\mu*t = n*\lambda$  and  $2*t = (D10/2)^2/R$ , solving for mu
8 mu = 4*n*lambda*R/D10^2;      // Refractive index of
   the liquid filled into container
9
10 printf("\nThe refractive index of the liquid filled
   into container = %4.2f", mu);
11
12 // Result
13 // The refractive index of the liquid filled into

```

```
container = 1.47
```

Scilab code Exa 2.67 Refractive index of the liquid

```
1 // Scilab Code Ex2.67:: Page –2.50(2009)
2 clc; clear;
3 Dn = 1.8; // Diameter of 15th dark ring, cm
4 Dn_prime = 1.67; // Diameter of 15th dark ring
   with liquid, cm
5 mu = (Dn/Dn_prime)^2; // Refractive index of the
   liquid
6
7 printf("\nThe refractive index of the liquid = %4.2f
   ", mu);
8
9 // Result
10 // The refractive index of the liquid = 1.16
```

Scilab code Exa 2.68 Diameter of eighteenth dark ring

```
1 // Scilab Code Ex2.68:: Page –2.51(2009)
2 clc; clear;
3 R = 1; // For simplicity assume radius of
   curvature to be unity, cm
4 D8 = 0.45; // Diameter of 8th dark ring, cm
5 D15 = 0.81; // Diameter of 15th dark ring, cm
6 n = 8; // Order of 8th Newton ring
7 p = 7; // Order of 7th Newton ring after 8
   th ring
8 lambda = (D15^2-D8^2)/(4*p*R); // Wavelength of
   light used, cm
9 // As  $D_{18}^2 - D_{15}^2 = 4 * p * \lambda * R$ 
10 p = 3; // For 18th and 15th rings
```

```

11 D18 = sqrt(D15^2+4*p*lambda*R);      // Diameter of
    18th ring , cm
12
13 printf("\nThe diameter of 18th dark ring = %6.4f cm"
    , D18);
14
15 // Result
16 // The diameter of 18th dark ring = 0.9222 cm

```

Scilab code Exa 2.69 Wavelength of light used to illuminate plano convex lens in Newton rings experiment

```

1 // Scilab Code Ex2.69:: Page –2.51(2009)
2 clc; clear;
3 R = 100;      // Radius of curvature of plano-convex
    lens , cm
4 D15 = 0.590;  // Diameter of 15th dark ring , cm
5 D5 = 0.336;  // Diameter of 5th dark ring , cm
6 p = 10;      // Order of 10th Newton ring after
    5th ring
7 lambda = (D15^2-D5^2)/(4*p*R);      // Wavelength of
    light used , cm
8
9 printf("\nThe wavelength of light used = %4.0f
    ansgtrom" , lambda/1e-008);
10
11 // Result
12 // The wavelength of light used = 5880 ansgtrom

```

Scilab code Exa 2.70 Wavelength of monochromatic light used in Michelson Interferometer

```

1 // Scilab Code Ex2.70:: Page –2.57(2009)

```

```

2 clc; clear;
3 N = 250;           // Number of fringes crossing the
                    field of view
4 delta_x = 0.0595e-01; // Displacement in movable
                    mirror, cm
5 // As  $N \cdot \lambda / 2 = \text{delta\_x}$ , solving for lambda
6 lambda = 2*delta_x/N; // Wavelength of light
                    used, cm
7
8 printf("\\nThe wavelength of monochromatic light used
          = %4.0f anstrom", lambda/1e-008);
9
10 // Result
11 // The wavelength of monochromatic light used = 4760
    anstrom
12 // Answer is given wrong in the textbook

```

Scilab code Exa 2.71 Number of fringes that passes across the cross wire of telescope

```

1 // Scilab Code Ex2.71:: Page-2.58(2009)
2 clc; clear;
3 delta_x = 0.02559e-01; // Displacement in movable
                    mirror, cm
4 lambda = 5890e-008; // Wavelength of light used
                    , cm
5 // As  $N \cdot \lambda / 2 = \text{delta\_x}$ , solving for N
6 N = 2*delta_x/lambda; // Number of fringes
                    crossing the field of view
7
8 printf("\\nThe number of fringes that passes across
          the cross wire of telescope = %2d", ceil(N));
9
10 // Result
11 // The number of fringes that passes across the

```


cross wire of telescope = 87

Scilab code Exa 2.72 Distance between two successive positions of movable mirror

```
1 // Scilab Code Ex2.72:: Page –2.58(2009)
2 clc; clear;
3 lambda1 = 5890e-008; // Wavelength corresponding
   to the D1 line , cm
4 lambda2 = 5896e-008; // Wavelength corresponding
   to the D2 line , cm
5 delta_lambda = lambda2 - lambda1; // Difference in
   the wavelengths , cm
6 // As delta_lambda = lambda1*lambda2/(2*x), solving
   for x
7 x = lambda1*lambda2/(2*(lambda2-lambda1)); //
   Distance between two successive positions of
   movable mirror
8
9 printf("\nThe distance between two successive
   positions of movable mirror = %3.1e cm", x);
10
11 // Result
12 // The distance between two successive positions of
   movable mirror = 2.9e-002
```

Scilab code Exa 2.73 Thickness of the transparent glass film

```
1 // Scilab Code Ex2.73:: Page –2.58(2009)
2 clc; clear;
3 N = 550; // Number of fringes crossing the
   field of view
```

```
4 lambda = 5500e-008;    // Wavelength of light used ,
   cm
5 mu = 1.5;             // Refractive index of the glass
   slab
6 // As  $2*(\mu-1)*t = N*\lambda$ , solving for t
7 t = N*lambda/(2*(mu-1));    // Thickness of the
   transparent glass film
8
9 printf("\nThe distance between two successive
   positions of movable mirror = %3.1e cm", t);
10
11 // Result
12 // The distance between two successive positions of
   movable mirror = 3.0e-002 cm
```

Chapter 3

Diffraction

Scilab code Exa 3.1 Position of the screen so that light is focused on the brightest spot

```
1 // Scilab Code Ex3.1:: Page-3.9 (2009)
2 clc; clear;
3 lambda = 5890e-008; // Wavelength of light used, cm
4 r1 = 0.2; // Radius of first ring of zone plate,
   cm
5 n = 1; // Order of zone plate
6 f1 = r1^2/(n*lambda); // Position of the screen so
   that light is focused on the brightest spot, cm
7
8 printf("\nThe position of the screen so that light
   is focused on the brightest spot = %3.1e cm",
   lambda);
9
10 // Result
11 // The position of the screen so that light is
   focused on the brightest spot = 5.9e-005 cm
```

Scilab code Exa 3.2 Zone plate with a point source of light on the axis

```

1 // Scilab Code Ex3.2:: Page-3.9 (2009)
2 clc; clear;
3 v1 = 36; // Position of the strongest image from
           the zone plate, cm
4 v2 = 9; // Position of the next image from the
           zone plate, cm
5 lambda = 5890e-008; // Wavelength of light used, cm
6 r1 = 1; // For simplicity assume radius of first
           ring of zone plate to be unity, cm
7 n = 1; // Order of zone plate
8 // As  $1/v1 - 1/u = n \cdot \lambda / r1^2 = 1/3 \cdot (1/v2 - 1/u)$ ,
           solving for u
9 u = 2/(3/36 - 1/9); // Distance of the zone
           plate from source, cm
10 // As  $1/v - 1/u = n \cdot \lambda / r1^2$ , solving for r1
11 r1 = sqrt(lambda/(1/v1 - 1/abs(u))); // Radius
           of first zone, cm
12 f1 = r1^2/(n*lambda); // Principal focal length,
           cm
13
14 printf("\\nThe distance of the zone plate from source
           = %2d cm", u);
15 printf("\\nThe radius of first zone = %3.1e cm", r1);
16 printf("\\nThe principal focal length = %4.1f cm", f1
           );
17
18 // Result
19 // The distance of the zone plate from source = -72
           cm
20 // The radius of first zone = 6.5e-002 cm
21 // The principal focal length = 72.0 cm

```

Scilab code Exa 3.3 Position of the first image in a zone plate

```

1 // Scilab Code Ex3.3:: Page-3.10 (2009)

```

```

2 clc; clear;
3 lambda = 5500e-010; // Wavelength of light used , cm
4 u = -4; // Distance of the zone plate from
    source , cm
5 D = 3.7e-003; // Diameter of central zone of zone
    plate , cm
6 r = D/2; // Radius of central zone of zone plate ,
    cm
7 n = 1; // Order of zone plate
8 f1 = r^2/(n*lambda); // Principal focal
    length , cm
9 v1 = 36; // Position of the strongest image from
    the zone plate , cm
10 v2 = 9; // Position of the next image from the
    zone plate , cm
11 // As  $1/v - 1/u = 1/f$ , solving for v
12 v = 1/(1/f1+1/u); // Position of the first
    image in a zone plate , cm
13
14 printf("\\nThe position of the first image in a zone
    plate = %2d cm", floor(v));
15
16 // Result
17 // The position of the first image in a zone plate =
    -12 cm

```

Scilab code Exa 3.4 Principal focal length of zone plate

```

1 // Scilab Code Ex3.4:: Page-3.11 (2009)
2 clc; clear;
3 lambda = 1; // For simplicity assume wavelength
    of light used to be unity , unit
4 R = 150; // Radius of curvature of the curved
    surface , cm
5 r1 = sqrt(lambda*R); // For Newton's ring , cm

```

```

6 f1 = r1^2/lambda;          // Principal focal length of
   zone plate , cm
7
8 printf("\nThe principal focal length of zone plate =
   %3d cm", f1);
9
10 // Result
11 // The principal focal length of zone plate = 150 cm

```

Scilab code Exa 3.5 Half angular width at central maximum in Fraunhofer diffraction

```

1 // Scilab Code Ex3.5:: Page-3.22 (2009)
2 clc; clear;
3 lambda = 5000e-008;        // Wavelength of light used,
   cm
4 a = 15e-005;              // Width of the slit , cm
5 n = 1;                    // Order of diffraction
6 // For a single slit Fraunhofer diffraction , a*sin(
   theta) = n*lambda, solving for theta
7 theta = asin(n*lambda/a); // Half angular width at
   central maximum in Fraunhofer diffraction ,
   radian
8
9 printf("\nThe half angular width at central maximum
   in Fraunhofer diffraction = %5.3f rad", theta);
10
11 // Result
12 // The half angular width at central maximum in
   Fraunhofer diffraction= 0.340 rad

```

Scilab code Exa 3.6 Width of the slit

```

1 // Scilab Code Ex3.6:: Page-3.23 (2009)
2 clc; clear;
3 lambda = 5000e-010; // Wavelength of light used,
   cm
4 n = 1; // Order of diffraction
5 x = 5e-003; // Position of first minima on
   either sides of central maximum, m
6 D = 2.5; // Distance of screen from the narrow
   slir, m
7 sin_theta = x/sqrt(x^2+D^2); // Sine of angle
   theta, rad
8 // For a single slit Fraunhofer diffraction, a*sin(
   theta) = n*lambda, solving for a
9 a = n*lambda/sin_theta; // Width of the slit, m
10
11 printf("\\nThe Width of the slit = %3.1e m", a);
12
13 // Result
14 // The Width of the slit = 2.5e-004 m

```

Scilab code Exa 3.7 Angular width of central maximum

```

1 // Scilab Code Ex3.7:: Page-3.23 (2009)
2 clc; clear;
3 lambda = 6000e-010; // Wavelength of light used,
   m
4 a = 15e-007; // Width of the slit, m
5 // For a single slit Fraunhofer diffraction, a*sind(
   theta) = n*lambda, solving for theta
6 theta = asind(lambda/a); // Half angular width of
   central maximum, degrees
7
8 printf("\\nThe angular width of central maximum = %2d
   degrees", 2*ceil(theta));
9

```

```
10 // Result
11 // The angular width of central maximum = 48 degrees
```

Scilab code Exa 3.8 Distance between first minima and the next minima from the axis

```
1 // Scilab Code Ex3.8:: Page-3.23 (2009)
2 clc; clear;
3 lambda = 5000e-010; // Wavelength of light used,
  m
4 a = 0.7e-002; // Width of the slit, m
5 f = 0.5; // Focal length of the lens, m
6 n = 1; // Order of diffraction
7 // For minima, a*sind(theta_n) = n*lambda
8 // Also theta_n = n*lambda/a = x1/f, solving for x1
9 x1 = f*n*lambda/a; // Position of first
  minima, cm
10 // For secondary maxima, a*sind(theta_n) = (2*n+1)*
  lambda/2
11 // Also theta_n = 3*lambda/(2*a) = x2/f, solving for
  x2
12 n = 1; // Order of diffraction for first
  secondary minima
13 x2 = 3*f*lambda/(2*a); // Position of first
  secondary maxima, cm
14
15 printf("\\nThe distance between first minima and the
  next minima from the axis = %4.2e cm", x2-x1);
16
17 // Result
18 // The distance between first minima and the next
  minima from the axis = 1.79e-005 cm
```

Scilab code Exa 3.9 Width of central maxima in diffraction pattern

```
1 // Scilab Code Ex3.9:: Page-3.24 (2009)
2 clc; clear;
3 lambda = 6600e-008; // Wavelength of light used,
  cm
4 a = 0.018; // Width of the slit, cm
5 f = 200; // Focal length of the lens, cm
6 n = 1; // Order for first order diffraction
7 // As  $a \cdot \sin(\theta) = n \cdot \lambda$ ,  $a \cdot \theta = n \cdot \lambda$ 
8 // As  $\theta = \lambda/a$  and  $\theta = x/f$ , solving for
  x
9 x = lambda*f/a; // Half angular width at central
  maximum, cm
10
11 printf("\nThe width of central maximum = %3.1f cm",
  2*x);
12
13 // Result
14 // The width of central maximum = 1.5 cm
```

Scilab code Exa 3.10 Slit width in Fraunhofer single slit experiment

```
1 // Scilab Code Ex3.10:: Page-3.24 (2009)
2 clc; clear;
3 f = 250; // Focal length of the lens, cm
4 x = 0.8; // Half width of central maxima, cm
5 lambda = 5500e-008; // Wavelength of light used,
  cm
6 // As  $x = f \cdot \lambda/a$ , solving for a
7 a = f*lambda/x; // Slit width in Fraunhofer
  single slit experiment
8
9 printf("\nThe slit width = %5.3f cm", a);
10
```

```
11 // Result
12 // The slit width = 0.017 cm
```

Scilab code Exa 3.11 Half angular width of central maxima

```
1 // Scilab Code Ex3.11:: Page-3.25 (2009)
2 clc; clear;
3 lambda = 5500e-008; // Wavelength of light used,
   cm
4 a = 8.5e-005; // Width of the slit , cm
5 n = 1; // Order of diffraction
6 // For a single slit Fraunhofer diffraction , a*sind(
   theta) = n*lambda, solving for theta
7 theta = asind(n*lambda/a); // Half angular width at
   central maximum in Fraunhofer diffraction ,
   degrees
8
9 printf("\\nThe half angular width at central maximum
   in Fraunhofer diffraction = %4.1f degrees",
   theta);
10
11 // Result
12 // The half angular width at central maximum in
   Fraunhofer diffraction = 40.3 degrees
```

Scilab code Exa 3.12 Wavelength of light used in Fraunhofer diffraction due to single slit

```
1 // Scilab Code Ex3.12:: Page-3.25 (2009)
2 clc; clear;
3 a = 0.04; // Slit width , cm
4 x = 0.5; // Half width of central maximum, cm
5 f = 300; // Focal length of the lens , cm
```

```

6 // As  $x = \lambda f/a$ , solving for  $\lambda$ 
7  $\lambda = a*x/f$ ; // Wavelength of light used in
  Fraunhoffer diffraction due to single slit , cm
8
9 printf("\nThe wavelength of light used in
  Fraunhoffer diffraction due to a single slit =
  %4d angstrom",  $\lambda/1e-008$ );
10
11 // Result
12 // The wavelength of light used in Fraunhoffer
  diffraction due to a single slit = 6666 angstrom

```

Scilab code Exa 3.13 Width of central maxima from position of first secondary minima

```

1 // Scilab Code Ex3.13:: Page-3.25 (2009)
2 clc; clear;
3  $a = 0.045$ ; // Slit width , cm
4  $\lambda = 5500e-008$ ; // Wavelength of light used ,
  cm
5  $f = 250$ ; // Focal length of the lens , cm
6  $x = \lambda*f/a$ ; // Position of central maxima ,
  cm
7
8 printf("\nThe position of central maxima = %5.3 f cm"
  ,  $x$ );
9 printf("\nThe width of central maxima from first
  minima = %5.3 f cm",  $2*x$ );
10
11 // Result
12 // The position of central maxima = 0.306 cm
13 // The width of central maxima from first minima =
  0.611 cm

```

Scilab code Exa 3.14 Wavelength of monochromatic light used in illuminating a slit

```
1 // Scilab Code Ex3.14:: Page-3.26 (2009)
2 clc; clear;
3 a = 0.025; // Slit width, cm
4 n = 2; // Order of diffraction
5 f = 400; // Focal length of the lens, cm
6 x = 2.1; // Position of central maxima, cm
7 // As  $\theta = n\lambda/a$  and  $\theta = x/f$ , solving
  for  $\lambda$ 
8  $\lambda = x*a/(n*f)$ ; // Wavelength of light used,
  cm
9 printf("\\nThe wavelength of light used = %4d
  angstrom",  $\lambda/1e-008$ );
10
11 // Result
12 // The wavelength of light used = 6562 angstrom
```

Scilab code Exa 3.15 Distance between second dark and next bright fringe on the axes

```
1 // Scilab Code Ex3.15:: Page-3.26 (2009)
2 clc; clear;
3 a = 0.25; // Slit width, cm
4  $\lambda = 5890e-008$ ; // Wavelength of light, cm
5 f = 80; // Focal length of the lens, cm
6 n = 2; // Order of diffraction
7 // As for minima,  $\theta = n\lambda/a$  and  $\theta = x/f$ 
  , solving for x
8  $x2 = 2*\lambda*f/a$ ; // Position of 2nd dark
  fringe, cm
```

```

9 // As for maxima,  $\theta = (2n+1)\lambda/(2a)$  and
   $\theta = x/f$ , solving for x
10 x2_prime = 5*lambda*f/(2*a); // Position of 2
  nd bright fringe, cm
11 delta_x = x2_prime-x2; // Distance between 2nd
  dark and next bright, cm
12 printf("\nThe distance between 2nd dark and next
  bright fringe = %4.2e cm", delta_x);
13
14 // Result
15 // The distance between 2nd dark and next bright
  fringe = 9.42e-003 cm

```

Scilab code Exa 3.16 Width of the slit from first order diffraction

```

1 // Scilab Code Ex3.16:: Page-3.27 (2009)
2 clc; clear;
3 lambda = 5500e-008; // Wavelength of light used,
  cm
4 x = 3.9e-001; // Half width of central maximum
  , cm
5 f = 220; // Focal length of the lens, cm
6 n = 1; // Order for first order diffraction
7 // As  $a\sin(\theta) = n\lambda$ ,  $a\theta = n\lambda$ 
8 // As  $\theta = \lambda/a$  and  $\theta = x/f$ , solving for
  a
9 a = lambda*f/x; // Half angular width at central
  maximum, cm
10
11 printf("\nThe width of the slit = %3.1e cm", a);
12
13 // Result
14 // The width of the slit = 3.1e-002 cm

```

Scilab code Exa 3.18 Fraunhofer diffraction due to double slits

```
1 // Scilab Code Ex3.18:: Page-3.30 (2009)
2 clc; clear;
3 a = 0.019e-003; // Width of each slit , m
4 b = 2.0e-004; // Width of opacity between two
   slits , m
5 lambda = 5000e-010; // Wavelength of light used , m
6 D = 0.6; // Distance between slit and the
   screen , m
7 // As angular separation , theta = x/D = lambda/(a+b)
   , solving for x
8 x = D*lambda/(a+b); // Fringe spacing on the
   screen , m
9 // As half angular separation , theta1 = x1/D =
   lambda/(2*(a+b)), solving for x1
10 x1 = D*lambda/(2*(a+b)); // Distance between
   central maxima and first minima , m
11
12 printf("\nThe fringe spacing on the screen = %4.2 f
   mm", x/1e-003);
13 printf("\nThe distance between central maxima and
   first minima = %4.2 f mm", x1/1e-003);
14
15 // Result
16 // The fringe spacing on the screen = 1.37 mm
17 // The distance between central maxima and first
   minima = 0.68 mm
```

Scilab code Exa 3.19 Fringe separation in Fraunhofer double slit diffraction pattern

```

1 // Scilab Code Ex3.19:: Page-3.31 (2009)
2 clc; clear;
3 f = 150; // Distance between screen and slit , cm
4 a = 0.005; // Slit width , cm
5 b = 0.06; // Distance between slits , cm
6 lambda = 5500e-008; // Wavelength of light used ,
   cm
7 // As half angular separation , theta1 = x1/f =
   lambda/(2*(a+b)), solving for x1
8 x1 = f*lambda/(2*(a+b)); // Distance between
   central maxima and first minima , cm
9 delta_theta = lambda/(2*(a+b)); // Angular
   separation between two consecutive minima ,
   radians
10 printf("\\nThe distance between central maxima and
   first minima = %4.2e cm", x1);
11 printf("\\nThe angular separation between two
   consecutive minima = %3.1e radians", delta_theta)
   ;
12
13 // Result
14 // The distance between central maxima and first
   minima = 6.35e-002 cm
15 // The angular separation between two consecutive
   minima = 4.2e-004 radians

```

Scilab code Exa 3.20 Positions of first secondary maxima and minima in double slit diffraction

```

1 // Scilab Code Ex3.20:: Page-3.32 (2009)
2 clc; clear;
3 f = 120; // Distance between screen and slit , cm
4 a = 0.019; // Slit width , cm
5 b = 0.041; // Distance between slits , cm
6 lambda = 6500e-008; // Wavelength of light used ,

```

```

    cm
7 // As theta1 = x1/f = lambda/(2*(a+b)), solving for
  x1
8 x1 = f*lambda/(2*(a+b)); // Position of first
  secondary minima, cm
9 // As theta2 = x2/f = lambda/(a+b), solving for x2
10 x2 = f*lambda/(a+b); // Position of first
  secondary maxima, cm
11
12 printf("\nThe position of first secondary minima =
  %5.3f cm", x1);
13 printf("\nThe position of first secondary maxima =
  %4.2f cm", x2);
14
15 // Result
16 // The position of first secondary minima = 0.065 cm
17 // The position of first secondary maxima = 0.13 cm

```

Scilab code Exa 3.21 Missing orders of spectra in Fraunhofer double slit diffraction

```

1 // Scilab Code Ex3.21:: Page-3.34 (2009)
2 clc; clear;
3 a = 0.2; // Slit width, mm
4 b = 0.8; // Distance between slits, mm
5 p = [1 2 3 4]; // Orders of pth diffraction
  maxima
6 // As diffraction of pth diffraction maxima, a*sin(
  theta)=p*lambda --- (i)
7 // and that of nth diffraction maxima, (a+b)*sin(
  theta)=n*lambda --- (ii)
8 // Dividing (ii) by (i), we have
9 // (a+b)/a = n/p, solving for n
10 n = (a+b)/a*p; // Orders of nth diffraction maxima
11

```



```

12 printf("\n\nThe missing orders of spectra in
    diffraction maxima, n = %d, %d, %d, %d,...", n(1)
    , n(2), n(3), n(4));
13
14
15 // Result
16 // The missing orders of spectra in diffraction
    maxima, n = 5, 10, 15, 20,...

```

Scilab code Exa 3.22 Angles of diffraction for the principal maxima for two lines of sodium

```

1 // Scilab Code Ex3.22:: Page-3.45 (2009)
2 clc; clear;
3 lambda1 = 5890e-008; // Wavelength of D1 line of
    Na, cm
4 lambda2 = 5896e-008; // Wavelength of D2 line of
    Na, cm
5 N = 3000/0.5; // No. of lines per cm of
    grating, lines/cm
6 a_plus_b = 1/N; // Grating element, cm
7 n = 1; // Order of diffraction for principal
    maxima
8 // As (a+b)*sin(theta1) = n*lambda, solving for
    theta1
9 theta1 = asind(n*lambda1/(a_plus_b)); // Angle of
    diffraction for the principal maxima of D1 line,
    degrees
10 theta2 = asind(n*lambda2/(a_plus_b)); // Angle of
    diffraction for the principal maxima of D2 line,
    degrees
11 printf("\n\nThe angle of diffraction for the principal
    maxima of D1 line = %5.2f degrees", theta1);
12 printf("\n\nThe angle of diffraction for the principal
    maxima of D2 line = %5.2f degrees", theta2);

```

```

13
14 // Result
15 // The angle of diffraction for the principal maxima
    of D1 line = 20.70 degrees
16 // The angle of diffraction for the principal maxima
    of D2 line = 20.72 degrees

```

Scilab code Exa 3.23 Highest order spectrum which can be seen in monochromatic light

```

1 // Scilab Code Ex3.23:: Page-3.45 (2009)
2 clc; clear;
3 lambda = 5500e-008; // Wavelength of light used,
    cm
4 N = 15000; // No. of lines per inch of
    grating, lines/inch
5 a_plus_b = 2.54/N; // Grating element, cm
6 n = 1; // Order of diffraction for principal
    maxima
7 // As (a+b)*sin(theta_n) = n*lambda and for maximum
    possible order of spectra sin(theta_n) = 1
8 // So (a+b) = n*lambda, solving for n
9 n = (a_plus_b)/lambda; // The highest order
    spectrum which can be seen in monochromatic light
10
11 printf("\\nThe highest order spectrum which can be
    seen in monochromatic light = %d", n);
12
13 // Result
14 // The highest order spectrum which can be seen in
    monochromatic light = 3

```

Scilab code Exa 3.24 Angle of separation in second order of diffraction spectrum

```
1 // Scilab Code Ex3.24: : Page-3.46 (2009)
2 clc; clear;
3 lambda1 = 5890e-008; // Wavelength of D1 line , cm
4 lambda2 = 5896e-008; // Wavelength of D2 line , cm
5 N = 15000; // No. of lines per inch of
   grating, lines/inch
6 a_plus_b = 2.54/N; // Grating element , cm
7 n = 2; // Order of diffraction for secondary
   maxima
8 // As  $(a+b)\sin(\theta_n) = n\lambda$ , solving for
   theta1 and theta2
9 theta1 = asind(n*lambda1/a_plus_b); // Direction
   of secondary maxima with lambda1, degrees
10 theta2 = asind(n*lambda2/a_plus_b); // Direction
   of secondary maxima with lambda2, degrees
11
12 printf("\n\nThe angle of separation in second order
   diffraction spectrum = %3.1f degrees", theta2-
   theta1);
13
14 // Result
15 // The angle of separation in second order
   diffraction spectrum = 0.1 degrees
```

Scilab code Exa 3.25 Separation of two lines in first order spectrum

```
1 // Scilab Code Ex3.25:: Page-3.46 (2009)
2 clc; clear;
3 lambda1 = 5500e-008; // First wavelength , cm
4 lambda2 = 3700e-008; // Second wavelength , cm
5 N = 15000; // No. of lines per inch of
   grating, lines/inch
```

```

6 a_plus_b = 2.54/N;           // Grating element , cm
7 f = 120;                    // Focal length of the lens , cm
8 n = 1;                      // Order of diffraction for principal
    maxima
9 // As (a+b)*sin(theta_n) = n*lambda, solving for
    theta1 and theta2
10 theta1 = asind(n*lambda1/a_plus_b); // Direction
    of principal maxima with lambda1, degrees
11 theta2 = asind(n*lambda2/a_plus_b); // Direction
    of principal maxima with lambda2, degrees
12 // As tand(theta) = x/f, solving for x1 - x2 = dx
13 dx = f*(tand(theta1)-tand(theta2)); // Linear
    separation of two lines in first order spectrum ,
    cm
14
15 printf("\nThe linear separation of two lines in
    first order spectrum = %5.2f cm", dx);
16
17 // Result
18 // The linear separation of two lines in first order
    spectrum = 14.34 cm

```

Scilab code Exa 3.26 Difference in the deviation in the first and third order spectra

```

1 // Scilab Code Ex3.26:: Page-3.47 (2009)
2 clc; clear;
3 lambda = 5000e-008; // Wavelength of light used ,
    cm
4 N = 5000; // No. of lines per cm of
    grating , lines/cm
5 a_plus_b = 1/N; // Grating element , cm
6 n = 1; // Order of diffraction for first order
    spectra
7 // As (a+b)*sin(theta_n) = n*lambda, solving for

```

```

    theta for first and third orders
8 theta1 = asind(n*lambda/a_plus_b);    // Direction
    of principal maxima with lambda1, degrees
9 n = 3;    // Order of diffraction for third order
    spectra
10 theta3 = asind(n*lambda/a_plus_b);    // Direction
    of principal maxima with lambda2, degrees
11 delta_theta = theta3 - theta1; // Angular
    separation in the first and third order spectra ,
12
13 printf("\nThe difference in the deviation in the
    first and third order spectra = %4.1f degrees",
    delta_theta);
14
15 // Result
16 // The difference in the deviation in the first and
    third order spectra = 34.1 degrees

```

Scilab code Exa 3.27 Order of diffraction for the given grating element and wavelength of light

```

1 // Scilab Code Ex3.27:: Page-3.48 (2009)
2 clc; clear;
3 lambda = 6500e-008;    // Wavelength of light used,
    cm
4 N = 10000;    // No. of lines per cm of
    grating, lines/cm
5 a_plus_b = 1/N;    // Grating element, cm
6 theta_n = 90;    // Direction for maximum possible
    orders, degrees
7 // As (a+b)*sin(theta_n) = n*lambda, solving for
    theta for n
8 n = a_plus_b*sind(theta_n)/lambda;    // Order of
    diffraction for
9

```

```

10 printf("\nThe order of diffraction for the given
    grating element and wavelength of light = %d", n)
    ;
11
12 // Result
13 // The order of diffraction for the given grating
    element and wavelength of light = 1

```

Scilab code Exa 3.28 Number of lines ruled on the grating surface

```

1 // Scilab Code Ex3.28:: Page-3.48 (2009)
2 clc; clear;
3 lambda1 = 6500e-008; // Wavelength of first line ,
    cm
4 lambda2 = 4500e-008; // Wavelength of ssecond
    line , cm
5 theta1 = 18; // Direction of lower order ,
    degrees
6 theta2 = 18; // Direction of higher order ,
    degrees
7 // As (a+b)*sin(theta1) = n*lambda1 and (a+b)*sin(
    theta2) = (n+1)*lambda2, solving for n
8 n = lambda2/(lambda1 - lambda2); // Order of
    diffraction for first wavelength
9 // As a_plus_b = n*lambda1/sind(theta1), solving for
    a_plus_b
10 a_plus_b = ceil(n)*lambda1/sind(theta1); // Grating
    element , cm
11 N = 1/a_plus_b; // No. of lines on the grating
    surface , lines/cm
12
13 printf("\nThe number of lines ruled on the grating
    surface = %4d lines/cm", N);
14
15 // Result

```

```
16 // The number of lines ruled on the grating surface
    = 1584 lines/cm
```

Scilab code Exa 3.29 Angles at which first and second order maxima are observed

```
1 // Scilab Code Ex3.29:: Page-3.48 (2009)
2 clc; clear;
3 lambda = 6328e-008; // Wavelength of He-Laser, cm
4 a_plus_b = 1/6000; // Grating element, cm
5 n = 1; // First order of diffraction for given
    wavelength
6 // As (a+b)*sin(theta1) = n*lambda, solving for
    theta1
7 theta1 = asind(n*lambda/a_plus_b); // Angle at
    which first order maximum is observed, degrees
8 n = 2; // second order of diffraction for given
    wavelength
9 theta2 = asind(n*lambda/a_plus_b); // Angle at
    which second order maximum is observed, degrees
10
11 printf("\\nThe angle at which first order maximum is
    observed = %4.1f degrees", theta1);
12 printf("\\nThe angle at which second order maximum is
    observed = %4.1f degrees", theta2);
13
14 // Result
15 // The angle at which first order maximum is
    observed = 22.3 degrees
16 // The angle at which second order maximum is
    observed = 49.4 degrees
```

Scilab code Exa 3.30 Least width of plane transmission grating

```

1 // Scilab Code Ex3.30:: Page-3.49 (2009)
2 clc; clear;
3 lambda1 = 5890e-008; // Wavelength of D1 line of
   Na, cm
4 lambda2 = 5896e-008; // Wavelength of D2 line of
   Na, cm
5 d_lambda = lambda2-lambda1; // Linear
   separation of two lines just seen as separate, cm
6 P = 500; // Number of lines per cm on grating
   , lines/cm
7 n = 2; // Order of diffraction
8 // As resolving power of grating, lambda/d_lambda =
   n*N, solving for N
9 N = lambda1/(d_lambda*n); // No. of lines
   required per cm on grating, lines/cm
10 w = N/P; // Least width of grating, cm
11
12 printf("\\nThe least width of plane transmission
   grating = %5.3f cm", w);
13
14 // Result
15 // The least width of plane transmission grating =
   0.982 cm

```

Scilab code Exa 3.31 Minimum grating width required to resolve two wavelengths

```

1 // Scilab Code Ex3.31:: Page-3.49 (2009)
2 clc; clear;
3 theta1 = 18; // Direction at which first
   spectral line appears, degrees
4 theta2 = 18+5/(60*60); // Direction at which second
   spectral line appears, degrees
5 d_theta = (theta2-theta1)*%pi/180; // Angular
   separation of two spectral lines, radians

```



```

6 d_lambda = 50e-010;      // Linear separation of two
    spectral lines just seen as separate, cm
7 DP = d_theta/d_lambda;  // Dispersive power of
    grating
8 n = 1;                  // Order of diffraction
9 // As dispersive power of grating d_theta/d_lambda =
    DP = n/((a_plus_b)*cosd(theta1)), solving for
    a_plus_b
10 a_plus_b = n/(DP*cosd(theta1));    // Grating
    element, cm
11 // But a_plus_b*sind(theta1)=n*lambda1, solving for
    lambda1
12 lambda1 = a_plus_b*sind(theta1)/n;    //
    Wavelength of first spectral line, cm
13 lambda2 = lambda1+d_lambda/1e-002;    //
    Wavelength of second spectral line, cm
14 // As resolving power of grating, lambda/d_lambda =
    n*N, solving for N
15 N = lambda1/(d_lambda*n);    // No. of lines
    required per cm on grating
16 w = N*a_plus_b;            // Minimum grating width
    required to resolve two wavelengths, cm
17
18 printf("\nThe wavelength of first spectral line = %4
    .0f angstrom", lambda1/1e-008);
19 printf("\nThe wavelength of second spectral line =
    %4.0f angstrom", lambda2/1e-008);
20 printf("\nThe minimum grating width required to
    resolve two wavelengths = %3.1f cm", w);
21
22 // Result
23 // The wavelength of first spectral line = 6702
    angstrom
24 // The wavelength of second spectral line = 6752
    angstrom
25 // The minimum grating width required to resolve two
    wavelengths = 2.9 cm

```

Scilab code Exa 3.32 Angle of diffraction for maxima in first order

```
1 // Scilab Code Ex3.32:: Page-3.50 (2009)
2 clc; clear;
3 // Function to convert theta into degree-minute
4 function [deg, minute]=deg_2_degminsec(theta)
5     deg = floor(theta);
6     minute = (theta-floor(theta))*60;
7 endfunction
8
9 N = 15000; // No. of lines on the grating per
    inch, lines/inch
10 a_plus_b = 2.54/N; // Grating element, cm
11 lambda = 6000e-008; // Wavelength of light used,
    cm
12 n = 1; // Order of diffraction spectra
13 // But a_plus_b*sind(theta)=n*lambda, solving for
    theta
14 theta = asind(n*lambda/a_plus_b); // Direction
    in which first order spectra is seen, degrees
15 [deg, mint] = deg_2_degminsec(theta);
16 printf("\nThe angle of diffraction for maxima in
    first order = %2d degrees %2d min", deg, mint);
17
18 // Result
19 // The angle of diffraction for maxima in first
    order = 20 degrees 45 min
```

Scilab code Exa 3.33 Wavelength of light used in obtaining second order diffraction maximum

```
1 // Scilab Code Ex3.33:: Page-3.50 (2009)
```

```

2  clc; clear;
3  N = 12000;          // No. of lines on the grating per
    inch, lines/inch
4  a_plus_b = 2.54/N;    // Grating element, cm
5  n = 2;             // Order of diffraction spectra
6  theta = 39; // Angle of diffraction for maxima in
    second order, degrees
7  // But a_plus_b*sind(theta)=n*lambda, solving for
    lambda
8  lambda = a_plus_b*sind(theta)/n;    // Wavelength
    of light used, cm
9
10 printf("\nThe wavelength of light used in obtaining
    second order diffraction maximum = %4d angstrom",
    lambda/1e-008);
11
12 // Result
13 // The wavelength of light used in obtaining second
    order diffraction maximum = 6660 angstrom

```

Scilab code Exa 3.34 Number of visible orders using diffraction grating

```

1  // Scilab Code Ex3.34:: Page-3.51 (2009)
2  clc; clear;
3  lambda = 5890e-008;    // Wavelength of light used,
    cm
4  N = 6000;            // No. of lines on the grating per
    inch, lines/inch
5  a_plus_b = 2.54/N;    // Grating element, cm
6  theta_max = 90;      // Direction of maxima for
    maximum possible orders
7  // But a_plus_b*sind(theta_max)=n*lambda, solving
    for n
8  n = a_plus_b*sind(theta_max)/lambda;    // Number
    of visible orders

```

```

9
10 printf("\nThe number of visible orders using
    diffraction grating = %d", n);
11
12 // Result
13 // The number of visible orders using diffraction
    grating = 7

```

Scilab code Exa 3.35 Distance between two wavelengths seen as separate

```

1 // Scilab Code Ex3.35:: Page-3.51 (2009)
2 clc; clear;
3 lambda = 5500e-008; // Mean of two wavelengths,
    cm
4 theta = 35; // Angle of diffraction for
    maxima in second order
5 d_theta = 0.15; // Angular separation between
    two neighbouring wavelengths, radians
6 d_lambda = lambda*cotd(theta)*d_theta; // Distance
    between two wavelengths seen as separate, cm
7
8 printf("\nThe distance between two wavelengths seen
    as separate = %d angstrom", d_lambda/1e-008);
9
10 // Result
11 // The distance between two wavelengths seen as
    separate = 1178 angstrom

```

Scilab code Exa 3.36 Number of lines per cm on grating surface

```

1 // Scilab Code Ex3.36:: Page-3.51 (2009)
2 clc; clear;

```

```

3 lambda1 = 5500e-008;    // First wavelength of
   light , cm
4 lambda2 = 4500e-008;    // Second wavelength of
   light , cm
5 theta = 45;           // Angle of diffraction for lower
   order , degrees
6 n = lambda2/(lambda1-lambda2); // Lower order of
   diffraction
7 // But a_plus_b*sind(theta)=n*lambda, solving for
   a_plus_b
8 a_plus_b = floor(n)*lambda1/sind(theta); //
   Grating element , cm
9 N = 1/a_plus_b;       // No. of lines per cm on
   grating surface , lines/cm
10
11 printf("\nThe number of lines per cm on grating
   surface = %4d lines/cm", ceil(N));
12
13 // Result
14 // The number of lines per cm on grating surface =
   3215 lines/cm

```

Scilab code Exa 3.37 Total number of lines on grating surface

```

1 // Scilab Code Ex3.37:: Page-3.52 (2009)
2 clc; clear;
3 lambda = 6500e-008;    // Wavelength of light used,
   cm
4 theta = 19.5;         // Angle of diffraction for maxima
   in first order , degrees
5 l = 3.5;             // Length of the grating , cm
6 n = 1;              // Order of diffraction
7 // But a_plus_b*sind(theta)=n*lambda, solving for
   a_plus_b
8 a_plus_b = n*lambda/sind(theta); // Grating

```

```

    element, cm
9 N = 1/a_plus_b;    // No. of lines per cm on
    grating surface, lines/cm
10 N_total = l*N;    // Total number of lines on
    grating surface
11
12 printf("\nThe total number of lines on grating
    surface = %5d", N_total);
13
14 // Result
15 // The total number of lines on grating surface =
    17974

```

Scilab code Exa 3.38 Angular separation between the sodium D1 and D2 lines

```

1 // Scilab Code EX3.38:: Page-3.52 (2009)
2 clc;clear;
3 function [mint, secnd]=degmin(theta)
4     mint = (theta-floor(theta))*60;
5     secnd = (mint-floor(mint))*60
6 endfunction
7 lambda_D1 = 5890e-008; // Wavelength of sodium D1
    line, cm
8 lambda_D2 = 5896e-008; // Wavelength of sodium D2
    line, cm
9 n = 2; // Order of diffraction
10 N = 6500; // Number of lines per cm on grating,
    lines/cm
11 a_plus_b = 1/6500; // Grating element, cm
12 // As a_plus_b*sin(theta1)=n*lambda1, solving for
    theta1
13 theta1 = asind(n*lambda_D1/a_plus_b);
14 // As a_plus_b*sin(theta2)=n*lambda2, solving for
    theta1

```

```

15 theta2 = asind(n*lambda_D2/a_plus_b);
16 d_theta = theta2-theta1;    // Angular separation
    between the sodium D1 and D2 lines , degrees
17 [mint, secnd] = degmin(d_theta); // Call
    deg_2_degmin function
18
19 printf("\nThe angular separation between the sodium
    D1 and D2 lines = %d minutes %d seconds", mint,
    secnd);
20
21 // Result
22 // The angular separation between the sodium D1 and
    D2 lines = 4 minutes 10 seconds
23 // Since theta1 and theta2 are rounded off in the
    textbook , therefore the answer is mismatching.

```

Scilab code Exa 3.39 Minimum number of lines in a grating

```

1 // Scilab Code EX3.39:: Page-3.55 (2009)
2 clc;clear;
3 lambda1 = 5890e-008; // Wavelength of sodium D1
    line , cm
4 lambda2 = 5896e-008; // Wavelength of sodium D2
    line , cm
5 d_lambda = lambda2-lambda1; // Difference in the
    wavelength of two lines , cm
6 n = 2; // Order of diffraction
7 // As lambda/d_lambda = n*N, solving for N
8 N = lambda1/(d_lambda*n); // Minimum number of
    lines in a grating
9 printf("\nThe minimum number of lines in a grating =
    %3d lines", N);
10
11 // Result
12 // The minimum number of lines in a grating = 490

```

lines

Scilab code Exa 3.40 Linear separation of two points on the moon

```
1 // Scilab Code EX3.40:: Page-3.56 (2009)
2 clc;clear;
3 lambda = 5500e-008; // Wavelength of most sensitive
   color to an eye, cm
4 a = 400; // Aperture of the telescope, cm
5 D = 3.8e+010; // Distance of the moon from the
   earth, cm
6 d_theta = 1.22*lambda/a; // Limit of resolution
   of telescope, radians
7 // As d_theta = x/D, solving for x
8 x = d_theta*D; // Linear separation of two points
   on the moon, cm
9
10 printf("\nThe linear separation of two points on the
   moon = %5.2f m", x/1e+002);
11
12 // Result
13 // The linear separation of two points on the moon =
   63.74 m
```

Scilab code Exa 3.41 Minimum required number of lines on the plane transmission grating

```
1 // Scilab Code EX3.41:: Page-3.56 (2009)
2 clc;clear;
3 lambda1 = 5890e-008; // Wavelength of sodium D1
   line, cm
4 lambda2 = 5896e-008; // Wavelength of sodium D2
   line, cm
```



```

5 d_lambda = lambda2-lambda1; // Wavelength difference
   , cm
6 n = 2; // Order of diffraction
7 // As lambda/d_lambda = n*N, solving for N
8 N = 1/n*(lambda1+lambda2)/(2*d_lambda); //
   Minimum required number of lines on the plane
   transmission grating
9
10 printf("\nThe minimum required number of lines on
   the plane transmission grating = %3d", N);
11
12 // Result
13 // The minimum required number of lines on the plane
   transmission grating = 491

```

Scilab code Exa 3.42 Number of lines on the plane transmission grating to just resolve the sodium lines

```

1 // Scilab Code EX3.42:: Page-3.57 (2009)
2 clc;clear;
3 lambda1 = 5890e-008; // Wavelength of sodium D1
   line , cm
4 lambda2 = 5896e-008; // Wavelength of sodium D2
   line , cm
5 d_lambda = lambda2-lambda1; // Wavelength difference
   , cm
6 w = 2.5; // Width of the grating , cm
7 n = 2; // Order of diffraction
8 // As lambda/d_lambda = n*N, solving for N
9 N = 1/n*(lambda1+lambda2)/(2*d_lambda); //
   Minimum required number of lines on the plane
   transmission grating
10
11 printf("\nThe number of lines on the plane
   transmission grating to just resolve the sodium

```

```

    lines = %3d", N/w);
12
13 // Result
14 // The number of lines on the plane transmission
    grating to just resolve the sodium lines = 196

```

Scilab code Exa 3.43 Minimum width of the grating to resolve the sodium lines in third order

```

1 // Scilab Code EX3.43:: Page-3.57 (2009)
2 clc; clear;
3 lambda1 = 5890e-008; // Wavelength of sodium D1
    line , cm
4 lambda2 = 5896e-008; // Wavelength of sodium D2
    line , cm
5 d_lambda = lambda2-lambda1; // Wavelength difference
    , cm
6 n = 3; // Order of diffraction
7 P = 2500; // Number of lines per unit length of
    grating
8 // As lambda/d_lambda = n*N, solving for N
9 N = 1/n*(lambda1+lambda2)/(2*d_lambda); // Total
    lines on the grating
10 w = N/P; // Minimum width of the grating , cm
11 printf("\\nThe minimum width of the grating to
    resolve the sodium lines in third order = %5.3f
    cm", w);
12
13 // Result
14 // The minimum width of the grating to resolve the
    sodium lines in third order = 0.131 cm

```

Scilab code Exa 3.44 Dispersive power and diffraction angle for grating

```

1 // Scilab Code EX3.44:: Page-3.57 (2009)
2 clc; clear;
3 w = 2; // Width of the grating, cm
4 P = 4500; // Total number of lines on the grating
5 a_plus_b = w/P; // Grating element, cm
6 lambda1 = 5890e-008; // Wavelength of sodium D1
   line, cm
7 lambda2 = 5896e-008; // Wavelength of sodium D2
   line, cm
8 lambda = (lambda1+lambda2)/2; // Mean wavelength of
   light used, cm
9 d_lambda=lambda2-lambda1; // Difference in
   wavelengths of D-lines of sodium, cm
10 n = 2; // Order of diffraction
11 // As a_plus_b*sind(theta)=n*lambda, solving for
   theta
12 theta = asind(n*lambda/a_plus_b); // Angle of
   diffraction, degrees
13 DP = n/(a_plus_b*cosd(theta)); // Dispersive
   power of grating
14 d_theta = DP*d_lambda*180/%pi; // Angular
   separation between D-lines, degrees
15 RP = lambda/d_lambda; // Required resolving power
   of grating for sodium lines
16 N = 2.54/a_plus_b; // No. of lines per cm on
   grating, lines/cm
17 RP_cal = n*N; // Calculated resolving power of
   grating
18
19 printf("\\nThe angle of diffraction for maxima in
   second order = %6.4f degrees", d_theta);
20 printf("\\nAs %5.3e > %3d, D-lines can be resolved.",
   RP_cal, RP);
21
22 // Result
23 // The angle of diffraction for maxima in second
   order = 0.0160 degrees
24 // As 1.143e+04 > 982, D-lines can be resolved.

```

Scilab code Exa 3.45 Distance between centres of images of the two stars

```
1 // Scilab Code EX3.45:: Page-3.58 (2009)
2 clc;clear;
3 lambda = 5500e-010; // Wavelength of light used, m
4 a = 0.01; // Diameter of objective of telescope, m
5 f = 3.0; // Focal length of telescope objective, m
6 // For telescope, the limit of resolution,
7 // theta = x/f = 1.22*lambda/a, solving for x
8 x = 1.22*lambda/a*f; // Distance between centres
   of images of the two stars
9
10 printf("\nThe distance between centres of images of
   the two stars = %4.2e m", x);
11
12 // Result
13 // The distance between centres of images of the two
   stars = 2.01e-04 m
```

Scilab code Exa 3.46 Aperture of the objective of the microscope

```
1 // Scilab Code EX3.46:: Page-3.59 (2009)
2 clc;clear;
3 lambda = 5461e-008; // Wavelength of light used, cm
4 d = 4e-005; // Separation distance between two
   self-luminous objects, cm
5 NA = 1.22*lambda/(2*d); // Numerical aperture of
   microscope, cm
6
7 printf("\nThe numerical aperture of the objective of
   the microscopes = %6.4f cm", NA);
```

```
8
9 // Result
10 // The numerical aperture of the objective of the
    microscopes = 0.8328 cm
```

Chapter 4

Polarization

Scilab code Exa 4.1 Refractive index of the material

```
1 // Scilab Code Ex4.1:: Page-4.5 (2009)
2 clc; clear;
3 ip = 60; // Polarizing angle, degrees
4 mu = tand(ip); // Refractive index of the material
   from Brewster's law
5 printf("\n\nThe refractive index of the material = %5
   .3 f", mu);
6
7 // Result
8 // The refractive index of the material = 1.732
```

Scilab code Exa 4.2 Polarization by reflection

```
1 // Scilab Code Ex4.2:: Page-4.6 (2009)
2 clc; clear;
3 ip = 57; // Polarizing angle, degrees
4 mu = tand(ip); // Refractive index of the material
   from Brewster's law
```

```

5 printf("\nThe refractive index of the material = %4
      .2 f", mu);
6
7 // Result
8 // The refractive index of the material = 1.54

```

Scilab code Exa 4.3 Angle of refraction of the ray

```

1 // Scilab Code Ex4.3:: Page-4.6 (2009)
2 clc; clear;
3 mu = 1.53; // Refractive index of the material from
      Brewster's law
4 // As mu = tand(ip), solving for ip
5 ip = atand(mu); // Polarizing angle, degrees
6 // But mu = sind(ip)/sind(r), solving for r
7 r = asind(sind(ip)/mu); // Angle of refraction,
      degrees
8
9 printf("\nThe angle of refraction of the ray = %4.1 f
      degrees", r);
10
11 // Result
12 // The angle of refraction of the ray = 33.2 degrees

```

Scilab code Exa 4.4 Angle of minimum deviation for green light

```

1 // Scilab Code Ex4.4:: Page-4.6 (2009)
2 clc; clear;
3 ip = 60; // Polarizing angle, degrees
4 A = 60; // Angle of equilateral prism, degrees
5 mu = tand(ip); // Refractive index of the material
      from Brewster's law

```

```

6 // For angle of minimum deviation in prism , delta_m ,
   refractive index
7 // mu = sind((A+delta_m)/2)/sind(A/2) , solving for
   delta_m
8 delta_m = 2*asind(mu*sind(A/2))-A;      // Angle of
   minimum deviation , degrees
9
10 printf("\nThe angle of minimum deviation for green
   light = %2d degrees", ceil(delta_m));
11
12 // Result
13 // The angle of minimum deviation for green light =
   60 degrees

```

Scilab code Exa 4.5 Polarizing angles of the materials for given refractive indices

```

1 // Scilab Code Ex4.5:: Page-4.7 (2009)
2 clc; clear;
3 mu = [1.33 1.65 1.55];      // Refractive indices of
   the material
4 // As mu = tand(ip) , solving for ip
5 ip = atand(mu);           // Brewster's law gives
   polarizing angle , degrees
6 for i =1:1:3
7 printf("\nmu = %4.2f , ip = %4.1f degrees", mu(i), ip
   (i));
8 end
9
10 // Result
11 // mu = 1.33 , ip = 53.1 degrees
12 // mu = 1.65 , ip = 58.8 degrees
13 // mu = 1.55 , ip = 57.2 degrees

```

Scilab code Exa 4.6 Angle of rotation of analyser

```
1 // Scilab Code Ex4.6:: Page-4.8 (2009)
2 clc; clear;
3 E0 = 1; // For simplicity assume maximum
          intensity through polarizer and analyser to be
          unity, unit
4 E = 1/6*E0; // One-sixth of the maximum intensity,
          unit
5 // From Malus law,  $E = E0*\cosd(\theta)^2$ , solving for
          theta
6 theta = acosd(sqrt(E)); // Angle through which
          analyser should be rotated, degrees
7 printf("\nThe angle of rotation of analyser = %4.1f
          degrees", theta);
8
9 // Result
10 // The angle of rotation of analyser = 65.9
```

Scilab code Exa 4.7 Angles of rotation of analyser for given transmitted light intensities

```
1 // Scilab Code Ex4.7:: Page-4.8 (2009)
2 clc; clear;
3 E0 = 1; // For simplicity assume maximum
          intensity through polarizer and analyser to be
          unity, unit
4 light_fraction = [0.25 0.45 0.65 0.75 0.0];
5 for i = 1:1:5
6 E = light_fraction(i)*E0; // Light fraction of the
          maximum intensity, unit
```

```

7 // From Malus law,  $E = E_0 \cos^2(\theta)$ , solving for
  theta
8 theta = acosd(sqrt(E)); // Angle through which
  analyser should be rotated, degrees
9 printf("\nE = %4.2fE0, theta = %4.1f degrees",
  light_fraction(i), theta);
10 end
11
12 // Result
13 // E = 0.25E0, theta = 60.0 degrees
14 // E = 0.45E0, theta = 47.9 degrees
15 // E = 0.65E0, theta = 36.3 degrees
16 // E = 0.75E0, theta = 30.0 degrees
17 // E = 0.00E0, theta = 90.0 degrees

```

Scilab code Exa 4.8 Angle of minimum deviation for green light

```

1 // Scilab Code Ex4.8:: Page-4.9 (2009)
2 clc; clear;
3 ip = 60; // Polarizing angle, degrees
4 mu = tand(ip); // Brewster's law giving refractive
  index
5 A = 60; // Angle of prism, degrees
6 d = (mu - 1)*A; // Angle of minimum deviation for
  green light, degrees
7
8 printf("\nThe angle of minimum deviation for green
  light = %5.2f degrees", d);
9
10 // Result
11 // The angle of minimum deviation for green light =
  43.92 degrees

```

Scilab code Exa 4.9 Ratio of ordinary to extraordinary ray intensities

```
1 // Scilab Code Ex4.9:: Page-4.9 (2009)
2 clc; clear;
3 theta = 30; // Angle which the plane of
  vibration makes with the incident beam, degrees
4 // As intensity of ordinary and extraordinary ray
  are
5 //  $E_E = A^2 \cos^2(\theta)$  and  $E_O = A^2 \sin^2(\theta)$ 
  ^2, solving for  $E_E/E_O$ 
6 EE_ratio_EO = cotd(30)^2; // Ratio of ordinary
  and extraordinary ray intensities
7
8 printf("\nThe ratio of ordinary to extraordinary ray
  intensities = %d", EE_ratio_EO);
9
10 // Result
11 // The ratio of ordinary to extraordinary ray
  intensities = 3
```

Scilab code Exa 4.10 Thickness of quarter wave plate

```
1 // Scilab Code Ex4.10:: Page-4.23 (2009)
2 clc; clear;
3 mu_o = 1.658; // Refractive index of ordinary wave
4 mu_e = 1.486; // Refractive index of extraordinary
  wave
5 lambda = 5893e-008; // Wavelength of light used, m
6 // As  $(\mu_o - \mu_e) * t = \lambda / 4$ , solving for t
7 t = lambda / (4 * (mu_o - mu_e)); // Thickness of
  quarter-wave plate, cm
8
9 printf("\nThe thickness of quarter-wave plate = %3.1
  e cm", t);
10
```

```

11 // Result
12 // The thickness of quarter-wave plate = 8.6e-005 cm

```

Scilab code Exa 4.11 Least thickness of plate for which emergent beam is plane polarised

```

1 // Scilab Code Ex4.11:: Page-4.23 (2009)
2 clc; clear;
3 mu_o = 1.5442; // Refractive index of ordinary
   wave
4 mu_e = 1.5533; // Refractive index of
   extraordinary wave
5 lambda = 5000e-008; // Wavelength of light used, m
6 // As (mu_o - mu_e)*t = lambda/4, solving for t
7 t = lambda/(4*(mu_e - mu_o)); // Least thickness
   of plate for which emergent beam is plane
   polarised, cm
8
9 printf("\nThe least thickness of plate for which
   emergent beam is plane polarised = %4.2e cm", t);
10
11 // Result
12 // The least thickness of plate for which emergent
   beam is plane polarised = 1.37e-003 cm

```

Scilab code Exa 4.12 Difference in refractive indices of rays

```

1 // Scilab Code Ex4.12:: Page-4.23 (2009)
2 clc; clear;
3 lambda = 5893e-008; // Wavelength of light used, m
4 t = 0.005; // Thickness of the crystal, cm
5 // As for quarter wave plate, mu_diff*t = (mu_o -
   mu_e)*t = lambda/4, solving for mu_diff

```

```

6 mu_diff = lambda/(4*t); // The difference in
  refractive indices of rays, cm
7 printf("\nThe least thickness of plate for which
  emergent beam is plane polarised = %4.2e cm",
  mu_diff);
8
9 // Result
10 // The least thickness of plate for which emergent
  beam is plane polarised = 2.95e-003 cm

```

Scilab code Exa 4.13 The thickness of a half wave plate

```

1 // Scilab Code Ex4.13:: Page-4.24 (2009)
2 clc; clear;
3 mu_o = 1.54; // Refractive index of ordinary wave
4 mu_e = 1.45; // Refractive index of extraordinary
  wave
5 lambda = 5500e-008; // Wavelength of light used, m
6 // As for a half wave plate, (mu_o - mu_e)*t =
  lambda/4, solving for t
7 t = lambda/(2*(mu_o - mu_e)); // The thickness of
  a half wave plate for wavelength, cm
8
9 printf("\nThe thickness of a half wave plate for
  wavelength = %4.2e cm", t);
10
11 // Result
12 // The thickness of a half wave plate for wavelength
  = 3.06e-004 cm

```

Scilab code Exa 4.14 The thickness of a quarter wave plate

```

1 // Scilab Code Ex4.14:: Page-4.24 (2009)

```

```

2  clc; clear;
3  mu_o = 1.55;    // Refractive index of ordinary wave
4  mu_e = 1.52;    // Refractive index of extraordinary
   wave
5  lambda = 5500e-008; // Wavelength of light used, m
6  // As for a half wave plate, (mu_o - mu_e)*t =
   lambda/4, solving for t
7  t = lambda/(4*(mu_o - mu_e)); // The thickness of
   a quarter wave plate for wavelength, cm
8
9  printf("\nThe thickness of a quarter wave plate for
   wavelength = %4.2e cm", t);
10
11 // Result
12 // The thickness of a quarter wave plate for
   wavelength = 4.58e-004 cm

```

Scilab code Exa 4.15 The thickness of a half wave plate quartz

```

1  // Scilab Code Ex4.15:: Page-4.24 (2009)
2  clc; clear;
3  mu_o = 1.51;    // Refractive index of ordinary wave
4  mu_e = 1.55;    // Refractive index of extraordinary
   wave
5  lambda = 6000e-008; // Wavelength of light used, m
6  // As for a half wave plate, (mu_o - mu_e)*t =
   lambda/4, solving for t
7  t = lambda/(2*(mu_e - mu_o)); // The thickness of
   a quarter wave plate for wavelength, cm
8
9  printf("\nThe thickness of a half wave plate quartz
   = %4.2e cm", t);
10
11 // Result
12 // The thickness of a half wave plate quartz = 7.50e

```

-004 cm

Scilab code Exa 4.16 Difference between refractive indices

```
1 // Scilab Code Ex4.16:: Page-4.24 (2009)
2 clc; clear;
3 lambda = 5890e-008; // Wavelength of light used, m
4 t = 7.5e-004; // Thickness of the crystal, cm
5 // As for quarter wave plate, mu_diff*t = (mu_e -
  mu_o)*t = lambda/4, solving for mu_diff
6 mu_diff = lambda/(4*t); // The difference in
  refractive indices of rays, cm
7 printf("\n\nThe difference between refractive indices
  = %6.4f cm", mu_diff);
8
9 // Result
10 // The difference between refractive indices =
  0.0196 cm
```

Scilab code Exa 4.17 Specific rotation of superposition

```
1 // Scilab Code Ex4.17:: Page-4.34 (2009)
2 clc; clear;
3 theta = 15.2; // Angle through which plane of
  polarization is rotated, degrees
4 c = 0.2; // Concentration of sugar, g/cc
5 l = 25; // Length of sugar, cm
6 S = 10*theta/(l*c); // Specific rotation of
  superposition, degrees
7
8 printf("\n\nThe specific rotation of superposition =
  %4.1f cm", S);
9
```

```
10 // Result
11 // The specific rotation of superposition = 30.4 cm
```

Scilab code Exa 4.18 Strength of sugar solution

```
1 // Scilab Code Ex4.18: : Page-4.34 (2009)
2 clc; clear;
3 theta = 15.2; // Angle through which plane of
  polarization is rotated, degrees
4 S = 65; // Specific rotation of sugar solution,
  degrees
5 l = 15; // Length of sugar, cm
6 // As  $S = 10 \cdot \theta / (l \cdot c)$ , solving for c
7 c = 10*theta/(l*S); // Concentration of sugar, g
  /cc
8
9 printf("\\nThe strength of sugar solution = %4.2f g/
  cc", c);
10
11 // Result
12 // The strength of sugar solution = 0.16 g/cc
```

Scilab code Exa 4.19 Quantity of sugar contained in the tube in the form of solution

```
1 // Scilab Code Ex4.19:: Page-4.34 (2009)
2 clc; clear;
3 theta = 15; // Angle through which plane of
  polarization is rotated, degrees
4 S = 69; // Specific rotation of sugar solution,
  degrees
5 l = 10; // Length of sugar, cm
6 V = 50; // Volume of the tube, cc
```



```

7 // As  $S = 10 * \theta / (l * c)$ , solving for c
8 c = 10*theta/(l*S); // Concentration of sugar, g
  /cc
9 M = c*V; // Mass of sugar in solution, g
10
11 printf("\nThe quantity of sugar contained in the
  tube in the form of solution = %5.2f g", M);
12
13 // Result
14 // The quantity of sugar contained in the tube in
  the form of solution = 10.87 g

```

Scilab code Exa 4.20 Specific rotation of sugar solution from the given data

```

1 // Scilab Code Ex4.20:: Page-4.35 (2009)
2 clc; clear;
3 theta = 8; // Angle through which plane of
  polarization is rotated, degrees
4 M = 10; // Amount of sugar, g
5 l = 14; // Length of the tube, cm
6 V = 44; // Volume of sugar solution, cc
7 c = M/V; // Concentration of sugar, g/cc
8 S = 10*theta/(l*c); // Specific rotation of sugar
  solution from the given data, degrees
9
10 printf("\nThe specific rotation of sugar solution
  from the given data = %4.1f degrees", S);
11
12 // Result
13 // The specific rotation of sugar solution from the
  given data = 25.1 degrees

```

Scilab code Exa 4.21 Angle of rotation of the plane of polarization

```
1 // Scilab Code Ex4.21:: Page-4.35 (2009)
2 clc; clear;
3 m = 15; // Amount of sugar, g
4 S = 66; // Specific rotation of sugar solution from
   the given data, degrees
5 l = 20; // Length of the tube, cm
6 V = 100; // Volume of sugar solution, cc
7 c = m/V; // Concentration of sugar, g/cc
8 // As  $S = 10 \cdot \theta / (l \cdot c)$ , solving for theta
9 theta = S * l * c / 10; // Angle of rotation of the
   plane of polarization, degrees
10
11 printf("\nThe angle of rotation of the plane of
   polarization = %4.1f degrees", theta);
12
13 // Result
14 // The angle of rotation of the plane of
   polarization = 19.8 degrees
```

Scilab code Exa 4.22 Angle of rotation of the optically active solution

```
1 // Scilab Code Ex4.22: : Page-4.35 (2009)
2 clc; clear;
3 l = 5; // Length of the tube, dm
4 m = 50; // Amount of sugar, g
5 S = 50; // Specific rotation of sugar solution,
   degrees
6 V = 150; // Volume of sugar solution, cc
7 c = m/V; // Concentration of sugar, g/cc
8 // As  $S = \theta / (l \cdot c)$ , solving for theta
9 theta = S * l * c; // Angle of rotation of the
   optically active solution
10
```

```

11 printf("\nThe angle of rotation of the optically
    active solution = %4.1f degrees", theta);
12
13 // Result
14 // The angle of rotation of the optically active
    solution = 83.3 degrees

```

Scilab code Exa 4.23 Angle of rotation in a tube of new length

```

1 // Scilab Code Ex4.23:: Page-4.35 (2009)
2 clc; clear;
3 l = 3; // Length of the tube, dm
4 theta = 17.0; // Angle of rotation of the
    plane of polarization, degrees
5 c = 1.0; // For simplicity assume concentration
    of solution to be unity, g/cc
6 l_prime = 2.5; // New length of the tube, dm
7 c_prime = 1.25*c; // Concentration of solution with
    25 cm length of tube, g/cc
8 theta_prime = theta*l_prime*c_prime/(l*c); // Angle
    of rotation in a tube of new length
9
10
11 printf("\nThe angle of rotation in a tube of new
    length of %3.1f cm = %4.1f degrees", l_prime,
    theta_prime);
12
13 // Result
14 // The angle of rotation in a tube of new length of
    2.5 cm = 17.7 degrees

```

Scilab code Exa 4.24 Mass of sugar in the solution contained in the tube

```

1 // Scilab Code Ex4.24:: Page-4.36 (2009)
2 clc; clear;
3 l = 17; // Length of the tube, cm
4 V = 37; // Volume of sugar solution, cc
5 theta = 15; // Angle of rotation of the plane
    of polarization, degrees
6 S = 68; // Specific rotation of sugar
    solution, degrees
7 // As  $S = 10 \cdot \theta / (l \cdot c)$ , solving for c
8 c = 10*theta/(l*S); // Concentration of sugar
    solution, g/cc
9 m = c*V; // Mass of sugar in the solution
    contained in the tube, g
10
11 printf("\nThe mass of sugar in the solution
    contained in the tube = %3.1f g", m);
12
13 // Result
14 // The mass of sugar in the solution contained in
    the tube = 4.8 g

```

Scilab code Exa 4.25 Percentage purity of the sugar sample

```

1 // Scilab Code Ex4.25:: Page-4.36 (2009)
2 clc; clear;
3 m = 80; // Mass of sugar in the solution, g
4 theta = 9.9; // Angle of rotation of the plane
    of polarization, degrees
5 l = 20; // Length of the tube, cm
6 S_pure = 66; // Specific rotation of pure
    sugar solution, degrees per dm per (g/cc)
7 c = 0.08; // Concentration of sugar solution, g/
    cc
8 S = 10*theta/(l*c); // calculated specific rotation
    of sugar solution, degrees per dm per (g/cc)

```

```

9 percent_purity = S/S_pure*100;      // Percentage
   purity of sugar sample, percent
10
11 printf("\nThe percentage purity of the sugar sample
   = %5.2f percent", percent_purity);
12
13 // Result
14 // The percentage purity of the sugar sample = 93.75
   percent

```

Scilab code Exa 4.26 Angle of rotation produced by the polarimeter plate

```

1 // Scilab Code Ex4.26:: Page-4.42 (2009)
2 clc; clear;
3 lambda = 6600e-010;      // Wavelength of circularly
   polarized light, cm
4 mu_R = 1.53914;         // Refractive index of right
   -handed circularly polarized light
5 mu_L = 1.53920;         // Refractive index of left-
   handed circularly polarized light
6 t = 0.0005;           // Thickness of polarimeter plate, m
7 theta = %pi/lambda*(mu_L-mu_R)*t; // Angle of
   rotation produced by the polarimeter plate,
   radian
8
9 printf("\nThe angle of rotation produced by the
   polarimeter plate = %4.2f degrees", theta*180/%pi
   );
10
11 // Result
12 // The angle of rotation produced by the polarimeter
   plate = 8.18 degrees

```

Chapter 5

Nuclear Physics

Scilab code Exa 5.1 Mass defect of He

```
1 // Scilab Code Ex5.1 :: Page-5.2 (2009)
2 clc; clear;
3 m_p = 1.007826; // Mass of a proton, amu
4 m_n = 1.008665; // Mass of a neutron, amu
5 M_He = 4.002604; // Measured mass of He nucleuc,
   amu
6 delta_m = 2*m_p+2*m_n - M_He; // Mass defect of He
   , amu
7 printf("\\nThe mass defect of He = %f amu", delta_m);
8
9 // Result
10 // The mass defect of He = 0.030378 amu
```

Scilab code Exa 5.3 Maximum energy of proton in a cyclotron

```
1 // Scilab Code Ex5.3 :: Page-5.16 (2009)
2 clc; clear;
3 B = 0.70; // Magnetic field of cyclotron,
   weber/metre square
```

```

4 q = 1.6e-019; // Charge of the proton, C
5 R = 3; // Radius of Dee's, m
6 m = 1.67e-027; // Mass of the proton, kg
7 E_max = B^2*q^2*R^2/(2*m); // Maximum energy of the
  proton in the cyclotron, joule
8 printf("\nThe maximum energy of the proton in the
  cyclotron = %4.2e MeV", E_max/1.6e-013);
9
10 // Result
11 // The maximum energy of the proton in the cyclotron
  = 2.11e+02 MeV
12 // The unit has been given wrong in the textbook. It
  should be MeV instead of eV

```

Scilab code Exa 5.4 Energy of an electron in a betatron

```

1 // Scilab Code Ex5.4 :: Page-5.20 (2009)
2 clc;clear;
3 f = 1e+06; // Frequency of revolution of
  electron, Hz
4 rate_phi_B = 25; // Rate of change of magnetic
  flux, wb/s
5 E = f*rate_phi_B; // Energy of 'f' revolutions, eV
6 printf("\nThe energy of the electron in Betatron
  after %g revolutions = %3.1e eV", f, E);
7
8 // Result
9 // The energy of the electron in Betatron after 1e
  +06 revolutions = 2.5e+07 eV

```

Scilab code Exa 5.5 Final energy gained by electrons in a betatron

```

1 // Scilab Code Ex5.5 :: Page-5.20 (2009)

```

```

2  clc;clear;
3  e = 1.6e-019; // Charge on an electron , C
4  D = 2.0;      // Diameter of the stable orbit in
                 betatron , m
5  R = D/2;     // Radius of the stable orbit in
                 betatron , m
6  B = 0.5;     // Magnetic field of betatron , wb/metre
                 square
7  c = 3e+08;   // final speed of electron in betatron ,
                 m/s
8  E = B*e*R*c; // Final energy gained by electrons
                 in a betatron , eV
9  printf("\nThe final energy gained by electrons in
           the betatron = %3.1e eV", E/e);
10
11 // Result
12 // The final energy gained by electrons in the
           betatron = 1.5e+08 eV

```

Scilab code Exa 5.6 Energy produced in fission of U235

```

1  // Scilab Code Ex5.6 :: Page-5.27 (2009)
2  clc;clear;
3  e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
4  A = 235;     // Atomic weight of uranium, gm/mol
5  N_A = 6.023e+026; // No. of atoms present in 235
                    kg of uranium
6  N = N_A/(A*1000); // No. of nuclei of uranium per
                    gram
7  E = N*200;   // Energy produced by 1 g of U-235, MeV
8  printf("\nThe energy produced by 1 g of U-235 = %3.1
           e joule", E*e*1e+06);
9
10 // Result
11 // The energy produced by 1 g of U-235 = 8.2e+10

```

Scilab code Exa 5.7 Power output of nuclear reactor

```
1 // Scilab Code Ex5.7 :: Page-5.32 (2009)
2 clc;clear;
3 A = 235; // Atomic weight of uranium, gm/mol
4 N_A = 6.023e+026; // No. of atoms present in 235
   kg of uranium-235
5 N = N_A*5/A; // No. of nuclei of uranium in 5 kg of
   U-235
6 E = N*200; // Energy released in the fission of 5
   kg of U-235, MeV
7 t = 24*3600; // Time taken to consume 5 kg of U
   -235, sec
8 P = E/t; // Total power output of the nuclear
   reactor, MeV per second
9 printf("\nThe total power output of the nuclear
   reactor = %4.2e MeV per second", P);
10
11 // Result
12 // The total power output of the nuclear reactor =
   2.97e+22 MeV per second
```

Scilab code Exa 5.8 Average current in the GM counter circuit

```
1 // Scilab Code Ex5.8 :: Page-5.34 (2009)
2 clc;clear;
3 e = 1.6e-019; // Electronic charge, C
4 f = 450; // Count rate of GM counter, counts/min
5 N = f*1e+08; // Total number of electrons
   collected per min
6 Q = N*e; // Charge collected per min, C
```

```

7 I = Q/60;    // Average current in the GM counter, A
8 printf("\nThe average current in the GM counter= %3.1
    e A", I);
9
10 // Result
11 // The average current in the GM counter= 1.2e-10 A

```

Scilab code Exa 5.9 Energy needed to remove a neutron from Ca nucleus

```

1 // Scilab Code Ex5.9 :: Page-5.39 (2009)
2 clc;clear;
3 m_Ca_41 = 40.962278;    // Mass of one Ca-41 nuclei,
    amu
4 m_Ca_42 = 41.958618;    // Mass of one Ca-41 nuclei,
    amu
5 m_n = 1.008665;        // Mass of a neutron, amu
6 delta_m = m_Ca_42 - (m_Ca_41 + m_n);    //
    Difference in the mass of Ca-42 and Ca-41 nuclei,
    amu
7 E = delta_m*(931.49);    // Binding energy of the
    missing neutron, MeV
8 printf("\nThe energy needed to remove a neutron from
    Ca-42 nucleus = %5.2f MeV", abs(E));
9
10 // Result
11 // The energy needed to remove a neutron from Ca-42
    nucleus = 11.48 MeV

```

Chapter 6

Semiconductors and Nano Physics

Scilab code Exa 6.1 Resistivity of intrinsic semiconductor at 300 K

```
1 // Scilab Code Ex6.1:: Page-6.19 (2009)
2 clc; clear;
3 T = 300; // Temperature of pure semiconductor, K
4 n_i = 2.5e+019; // Intrinsic carrier density, per
    metre square
5 e = 1.6e-019; // Charge on an electron, C
6 mu_e = 0.39; // Mobility of electrons, Sq.m/V/s
7 mu_h = 0.19; // Mobility of holes, Sq.m/V/s
8 sigma_i = e*n_i*(mu_e+mu_h); // Conductivity of
    intrinsic semiconductor at 300 K, mho/m
9 rho_i = 1/sigma_i; // Resistivity of intrinsic
    semiconductor at 300 K, ohm-m
10
11 printf("\\nThe resistivity of intrinsic semiconductor
    at 300 K = %4.2f ohm-m", rho_i);
12
13 // Result
14 // The resistivity of intrinsic semiconductor at 300
    K = 0.43 ohm-m
```

Scilab code Exa 6.2 Velocity of electron at Fermi level

```
1 // Scilab Code Ex6.2: : Page-6.19 (2009)
2 clc; clear;
3 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
4 E_F = 2.0*e; // Fermi level of Po, J
5 m = 9.1e-031; // Mass of an electron, kg
6 // As  $E_F = 1/2*m*v^2$ , solving for v
7 v = sqrt(2*E_F/m); // Velocity of electron at
   Fermi level, m/s
8 printf("\\nThe Velocity of electron at Fermi level =
   %4.2e m/s", v);
9
10 // Result
11 // The Velocity of electron at Fermi level = 8.39e
   +05 m/s
```

Chapter 7

Fiber Optics

Scilab code Exa 7.1 Critical angle and acceptance angle in an optical fibre

```
1 // Scilab Code Ex7.1:: Page-7.7 (2009)
2 clc; clear;
3 n1 = 1.6;          // Refractive index of core material
                     of fibre
4 n2 = 1.3;          // Refractive index of cladding
                     material of fibre
5 phi_C = asind(n2/n1); // Critical angle of optical
                     fibre , degrees
6 theta_Q = asind(sqrt(n1^2-n2^2)); // Acceptance
                     angle of optical fibre , degrees
7
8 printf("\\nThe critical angle of optical fibre = %4.1
          f degrees", phi_C);
9 printf("\\nThe angle of acceptance cone = %5.1f
          degrees", 2*theta_Q);
10
11 // Result
12 // The critical angle of optical fibre = 54.3
          degrees
13 // The angle of acceptance cone = 137.7 degrees
```

Scilab code Exa 7.2 Critical angle acceptance angle and numerical aperture in an optical fibre

```
1 // Scilab Code Ex7.2:: Page-7.8 (2009)
2 clc; clear;
3 n1 = 1.50; // Refractive index of core
   material of fibre
4 n2 = 1.47; // Refractive index of cladding
   material of fibre
5 phi_C = asind(n2/n1); // Critical angle of optical
   fibre, degrees
6 NA = sqrt(n1^2-n2^2); // Numerical aperture for
   the fibre
7 theta_Q = asind(sqrt(n1^2-n2^2)); // Acceptance
   angle of optical fibre, degrees
8
9 printf("\\nThe critical angle of optical fibre = %4.1
   f degrees", phi_C);
10 printf("\\nThe numerical aperture for the fibre = %5
   .3 f", NA);
11 printf("\\nThe angle of acceptance cone = %5.1 f
   degrees", theta_Q);
12
13 // Result
14 // The critical angle of optical fibre = 78.5
   degrees
15 // The numerical aperture for the fibre = 0.298
16 // The angle of acceptance cone = 17.4 degrees
```

Scilab code Exa 7.3 Parameters of an optical fibre using relative refractive index difference

```

1 // Scilab Code Ex7.3:: Page-7.8 (2009)
2 clc; clear;
3 n1 = 1.46; // Refractive index of the core
   material
4 delta = 0.01; // Relative refractive index
   difference
5 NA = n1*sqrt(2*delta); // Numerical aperture for
   the fibre
6 theta_Q = %pi*NA^2; // Solid acceptance angle of
   optical fibre for small angles, radians
7 // As relative refractive index, delta = 1-n2/n1,
   solving for n2
8 n2 = n1*(1-delta); // Refractive index of cladding
9 phi_C = asind(n2/n1); // Critical angle of optical
   fibre, degrees
10
11 printf("\nThe numerical aperture for the fibre = %4
   .2f", NA);
12 printf("\nThe solid acceptance angle of the optical
   fibre = %4.2f radians", theta_Q);
13 printf("\nThe critical angle of optical fibre = %4.1
   f degrees", phi_C);
14
15 // Result
16 // The numerical aperture for the fibre = 0.21
17 // The solid acceptance angle of the optical fibre
   = 0.13 radians
18 // The critical angle of optical fibre = 81.9
   degrees

```

Scilab code Exa 7.4 Refractive index of cladding

```

1 // Scilab Code Ex7.4:: Page-7.9 (2009)
2 clc; clear;
3 n1 = 1.54; // Refractive index of the core

```

```

        material
4 NA = 0.45;    // Numerical aperture for the fibre
5 n2 = sqrt(n1^2-NA^2);    // Refractive index of
    cladding
6
7 printf("\nThe refractive index of cladding = %4.2f",
    n2);
8
9 // Result
10 // The refractive index of cladding = 1.47

```

Scilab code Exa 7.5 Numerical aperture for an optical fibre

```

1 // Scilab Code Ex7.5:: Page-7.9 (2009)
2 clc; clear;
3 n1 = 1.544;    // Refractive index of the core
    material
4 n2 = 1.412;    // Refractive index of cladding
5 NA = sqrt(n1^2-n2^2);    // Numerical aperture for
    the fibre
6
7 printf("\nThe numerical aperture for an optical
    fibre = %4.2f", NA);
8
9 // Result
10 // The numerical aperture for an optical fibre =
    0.62

```

Scilab code Exa 7.6 Refractive index of the cladding

```

1 // Scilab Code Ex7.6:: Page-7.9 (2009)
2 clc; clear;

```



```

3 n1 = 1.544;      // Refractive index of the core
  material
4 theta0 = 35;    // Acceptance angel for an optical
  fibre , degrees
5 // As theta0 = asind(sqrt(n1^2-n2^2)), solving for
  n2
6 n2 = sqrt(n1^2-sind(theta0)^2);    // Refractive
  index of cladding
7
8 printf("\nThe refractive index of the cladding = %4
  .2f" , n2);
9
10 // Result
11 // The refractive index of the cladding = 1.43

```

Scilab code Exa 7.7 Comparison of the acceptance angle for meridional rays with that for the skew rays

```

1 // Scilab Code Ex7.7:: Page-7.10 (2009)
2 clc; clear;
3 NA = 0.4;      // Numerical aperture of the optical
  fibre
4 n0 = 1;        // Refractive index of fibre in air
5 theta_a = asind(NA/n0); // Acceptance angle for
  meridional rays , degrees
6 theta = 100;   // Direction through which the skew
  rays are bent at each reflection , degrees
7 r = theta/2;   // Angle of reflection , degrees
8 theta_as = asind(NA/(cosd(r)*n0)); // Acceptance
  angle for skew rays , degrees
9
10 printf("\nAcceptance angle for meridional rays = %4
  .1f degrees" , theta_a);
11 printf("\nAcceptance angle for skew rays = %4.1f
  degrees" , theta_as);

```

```

12
13 // Result
14 // Acceptance angle for meridional rays = 23.6
    degrees
15 // Acceptance angle for skew rays = 38.5 degrees

```

Scilab code Exa 7.8 Normalized frequency for V number for the fibre

```

1 // Scilab Code Ex7.8: : Page-7.13 (2009)
2 clc; clear;
3 NA = 0.16; // Numerical aperture of the step
    index fibre
4 n1 = 1.50; // Refractive index of the core
    material
5 d = 65e-006; // Diameter of the core, m
6 lambda = 0.9e-006; // Wavelength of transmitted
    light, m
7 V = %pi*d/lambda*NA; // V-number for the optical
    fibre
8
9 printf("\\nThe V-number for the optical fibre = %5.2f
    ", V);
10
11 // Result
12 // The V-number for the optical fibre = 36.30

```

Scilab code Exa 7.9 Number of modes in the step index fibre

```

1 // Scilab Code Ex7.9:: Page-7.13 (2009)
2 clc; clear;
3 NA = 0.28; // Numerical aperture of the step
    index fibre
4 d = 55e-006; // Diameter of the core, m

```

```

5 lambda = 0.9e-006; // Wavelength of transmitted
   light , m
6 M_N = (2.22*d*(NA)/lambda)^2; // Number of modes
   in the step index fibre
7
8 printf("\nThe number of modes in the step index
   fibre = %4d degrees", M_N);
9
10 // Result
11 // The number of modes in the step index fibre =
   1442 degrees

```

Scilab code Exa 7.10 Radius of core for single mode operation in step index fibre

```

1 // Scilab Code Ex7.10:: Page-7.14 (2009)
2 clc; clear;
3 n1 = 1.480; // Refractive index of core material
4 n2 = 1.47; // Refractive index of cladding
   material
5 lambda = 850e-006; // Wavelength of light used , m
6 NA = sqrt(n1^2-n2^2); // Numerical aperture of
   the step index fibre
7 theta0 = asind(NA); // Maximum acceptance angle
   for the fibre , degrees
8 M_N = 1; // Number of modes in step index cable
9 // As number of modes, M_N = 1/2*V^2, solving for V
10 V = sqrt(2*M_N); // V-number for the fibre
11 // As V = 2*pi*a/lambda*NA, solving for a
12 a = V*lambda/(2*pi*NA); // Radius of core for
   single mode operation in step index fibre , m
13
14 printf("\nThe radius of core for single mode
   operation in step index fibre = %3.1e", a);
15

```

```
16 // Result
17 // The radius of core for single mode operation in
    step index fibre = 1.1e-03
18 // The answer is quoted wrong in the textbook
```

Scilab code Exa 7.11 Signal attenuation in optical fibre

```
1 // Scilab Code Ex7.11: : Page-7.16 (2009)
2 clc; clear;
3 Pi = 1.5; // Input power to the optical fibre , mW
4 Po = 0.5; // Output power to the optical fibre , mW
5 L = 0.12; // Length of the optical fibre , km
6 alpha_dB = 10/L*log10(Pi/Po); // Signal attenuation
    in optical fibre , dB/km
7
8 printf("\\nThe signal attenuation in optical fibre =
    %4.1f dB/km", alpha_dB);
9
10 // Result
11 // The signal attenuation in optical fibre = 39.8 dB
    /km
```

Chapter 8

Laser

Scilab code Exa 8.1 Difference between upper and lower energy levels for the most prominent wavelength

```
1 // Scilab Code Ex8.1:: Page-8.8 (2009)
2 clc; clear;
3 lambda = 31235; // Wavelength of prominent
   emission of laser , aangstrom
4 E = 12400/lambda; // Energy difference between the
   two levels , eV
5
6 printf("\nThe difference between upper and lower
   energy levels for the most prominent wavelength
   = %5.3f eV", E);
7
8 // Result
9 // The difference between upper and lower energy
   levels for the most prominent wavelength = 0.397
   eV
```

Scilab code Exa 8.2 Frequency and wavelength of carbon dioxide laser

```

1 // Scilab Code Ex8.2:: Page-8.8 (2009)
2 clc; clear;
3 E = 0.121; // Energy difference between the two
   levels , eV
4 lambda = 12400/E; // Wavelength of the radiation ,
   angstrom
5 f = 3e+08/(lambda*1e-010); // Frequency of the
   radiation , Hz
6
7 printf("\nThe wavelength of the radiation = %8.1f
   angstrom", lambda);
8 printf("\nThe frequency of the radiation = %4.2e Hz"
   , f);
9
10 // Result
11 // The wavelength of the radiation = 102479.3
   angstrom
12 // The frequency of the radiation = 2.93e+13 Hz

```

Scilab code Exa 8.3 Energy of one emitted photon and total energy available per laser pulse

```

1 // Scilab Code Ex8.3:: Page-8.8 (2009)
2 clc; clear;
3 lambda = 7000; // Wavelength of the Ruby laser ,
   angstrom
4 e = 1.6e-019; // Energy equivalent of 1 eV, J/eV
5 N = 2.8e+019; // Total number of photons
6 E = 12400/lambda; // Energy of one emitted photon ,
   eV
7 E_p = E*e*N; // Total energy available per laser
   pulse , joule
8
9 printf("\nThe energy of one emitted photon = %4.2e J
   ", E*e);

```

```

10 printf("\nThe total energy available per laser pulse
    = %4.2f joule", E_p);
11
12 // Result
13 // The energy of one emitted photon = 2.83e-19 J
14 // The total energy available per laser pulse = 7.94
    joule

```

Scilab code Exa 8.4 Relative population of levels in Ruby laser

```

1 // Scilab Code Ex8.4:: Page-8.9 (2009)
2 clc; clear;
3 lambda = 7000; // Wavelength of the emitted light ,
    angstrom
4 k = 8.6e-005; // Boltzmann constant , eV/K
5 dE = 12400/lambda; // Energy difference of the
    levels , eV
6 T = [300 500]; // Temperatures of first and second
    states , K
7 for i = 1:1:2
8     N2_ratio_N1 = exp(-(dE/(k*T(i)))); // Relative
    population
9     printf("\nThe relative population at %d K = %3.1
    e", T(i), N2_ratio_N1);
10 end
11
12 // Result
13 // The relative population at 300 K = 1.5e-30
14 // The relative population at 500 K = 1.3e-18
15 // The answer is given wrong in the textbook for
    first part.

```

Scilab code Exa 8.5 Population of two states in He Ne laser

```

1 // Scilab Code Ex8.5:: Page-8.9 (2009)
2 clc; clear;
3 lambda = 7000; // Wavelength of the emitted light ,
   angstrom
4 k = 8.6e-005; // Boltzmann constant , eV/K
5 dE = 12400/lambda; // Energy difference of the
   levels , eV
6 T = 27+273; // Temperatures of the state , K
7 N2_ratio_N1 = exp(-(dE/(k*T))); // Relative
   population
8 printf("\\nThe relative population of two states in
   He-Ne laser at %d K = %3.1e", T, N2_ratio_N1);
9
10
11 // Result
12 // The relative population of two states in He-Ne
   laser at 300 K = 1.5e-30
13 // The answer is given wrong in the textbook

```
